

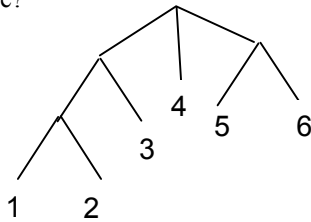
**Tree Problems**

Dr. Kimberle Koile

**Trees as Nested Lists**

A conventional representation of trees is achieved using a nested list structure. Each node in the tree is represented as a list of the children of that node, where a child may be either another tree or a leaf node. A child node that is a tree is called a subtree. A leaf node is anything that is not a pair (e.g., a symbol or a self-evaluating value).

1. Draw a box-and-pointer structure for the following tree using this convention. How does the interpreter print this structure?



Printed representation:

Box-and-pointer diagram:

2. Draw the interpretation of this list as a tree structure:  $((((1\ 2)\ 3)\ 4)\ (5\ 6))\ 7\ (8\ 9\ 10))$

Draw the box-and-pointer diagram:

3. Fill in the procedure for `double-tree` that returns a new tree (in the list representation) with double the value of all leaf nodes. Recall that you check for a leaf node with this procedure:

```
(define (leaf? x)
  (not (pair? x)))

(define (double-tree tree)
  (cond ((null? tree) '())
        ((leaf? tree)
         ))
      ))
  ))
```

4. An advantage of representing trees as lists is that we can use list procedures. Write the `double-tree` procedure using the `map` procedure.

```
(define (double-tree tree)
  (if (leaf? tree)
      ))
```

5. Recall the `tree-map` procedure, which will perform some operation on all the leaf nodes of a tree, e.g. `(tree-map double mytree)`.

```
(define (tree-map proc tree)
  (if (leaf? tree)
      (proc tree)
      (map (lambda (tree) (tree-map proc tree)) tree)))
```

Why can't we just use the procedure `tree-map` as the second argument to `map`?