

Formalizing Lightweight Verification of Software Component Composition

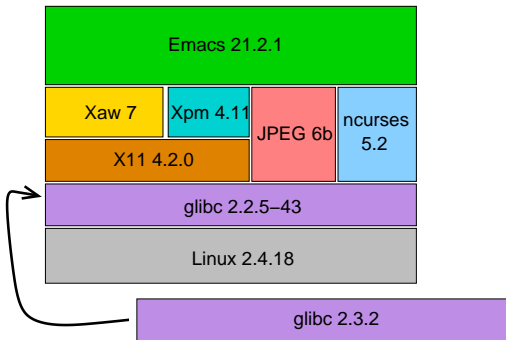
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Upgrade safety



- ▶ Will it still work with this new component?
- ▶ We have a system that vetted this upgrade

Overview

- ▶ Technique assesses upgrade safety
 - ▶ Unsound tool builds abstractions
 - ▶ Check property of combined abstractions
- ▶ Goal: prove checking step sound
- ▶ Results to date:
 - ▶ Formalization of upgrade safety problem
 - ▶ Approach for relative soundness proof
 - ▶ Improvements to previous algorithm
 - ▶ Proof outline for soundness result

Our approach

Abstractions:

- ▶ should be stated in an expressive language
- ▶ should describe concrete implementations
- ▶ should be created automatically
- ▶ need not be sound over arbitrary executions

Comparison of run-time behavior

- ▶ Compare run-time behaviors of component
 - ▶ Old component, in context of the application's use
 - ▶ New component, in context of vendor test suite
- ▶ Compatible if the vendor tests all the functionality that the application uses (and gets the right output)

Operational abstraction

- ▶ Abstraction of run-time behavior
- ▶ Set of program properties — mathematical statements about module behavior
- ▶ For $x++$:
 - ▶ Precondition: x is an integer
 - ▶ Postcondition: $x' = x + 1$
- ▶ Depends on how the module is used

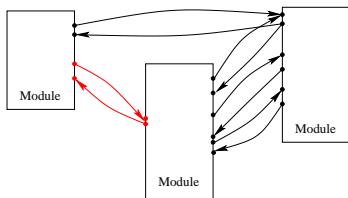
Operational abstraction

- ▶ Abstraction of run-time behavior
- ▶ Set of program properties — mathematical statements about module behavior
- ▶ For $x++$, **used on even values**:
 - ▶ Precondition: x is **even**
 - ▶ Postcondition: $x' = x + 1$, **x' is odd**
- ▶ Depends on how the module is used

Operational abstraction

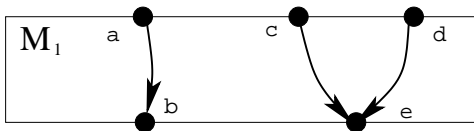
- ▶ Abstraction of run-time behavior
- ▶ Set of program properties — mathematical statements about module behavior
- ▶ For $x++$, **used on even values**:
 - ▶ Precondition: x is **even**
 - ▶ Postcondition: $x' = x + 1$, **x' is odd**
- ▶ Depends on how the module is used
- ▶ Obtained using the Daikon tool

Modules: inputs and outputs



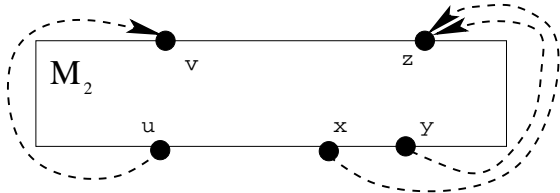
- ▶ Consider just the behavior of modules at their boundaries
- ▶ The outputs of one module are connected to the inputs of another via procedure calls and returns
- ▶ Connections just represent identity

Flow and summary relations



Flow relations $M_1(b | a)$, $M_1(e | c, d)$

$$b.x > a.y, e.y = c.y + e.z$$



Summary relations $\overline{M}_2(v | u)$, $\overline{M}_2(z | x, y)$

$$v.ret = u.arg + 3, x.i \neq z.j \cdot y.j$$

Formalizing the upgrade condition

- ▶ Combined flow relations must imply summaries
- ▶ Do we have the right combination?
- ▶ Snag: what formal property to aim for?
- ▶ Describe idealized version that should be sound
 - ▶ Postulate existence of sound abstractions
- ▶ Final result is relative soundness, up to abstractions

Abstraction and formalization

Concrete program

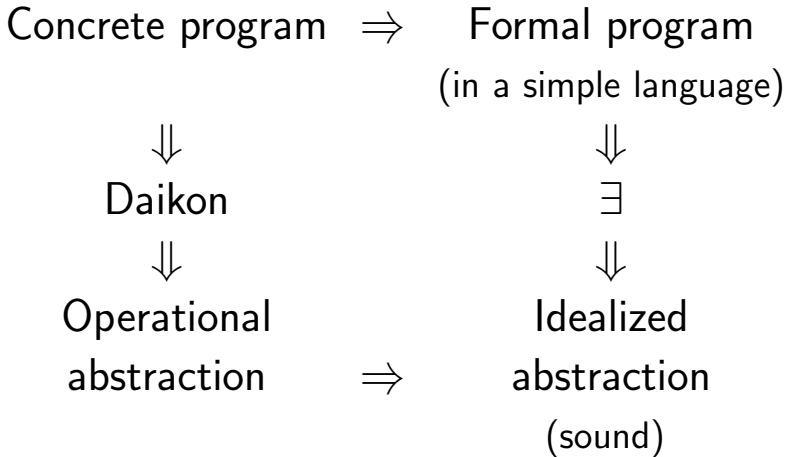


Daikon



Operational
abstraction

Abstraction and formalization



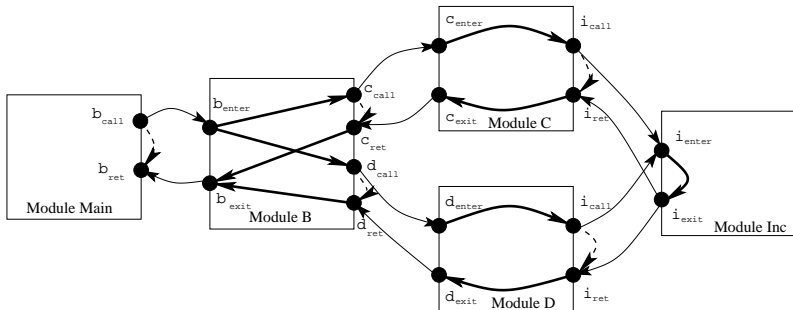
A formal imperative language

- ▶ Consider a simple language:

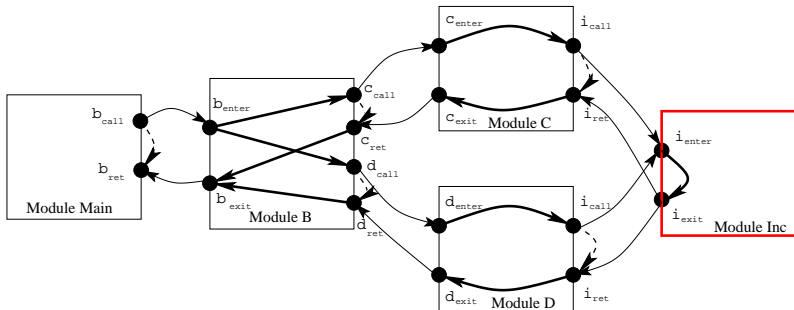
$$C ::= C ; C \mid \text{skip} \mid \text{assert}(P) \mid v := E \\ \mid \text{if } P \text{ then } C \text{ else } C \mid v := M.f(v_1, \dots, v_k)$$

- ▶ Procedures f are grouped in modules M that share some variables
- ▶ ‘assert’ doesn’t affect control flow
- ▶ Goal: Correct execution without assertion failure

Example of modules

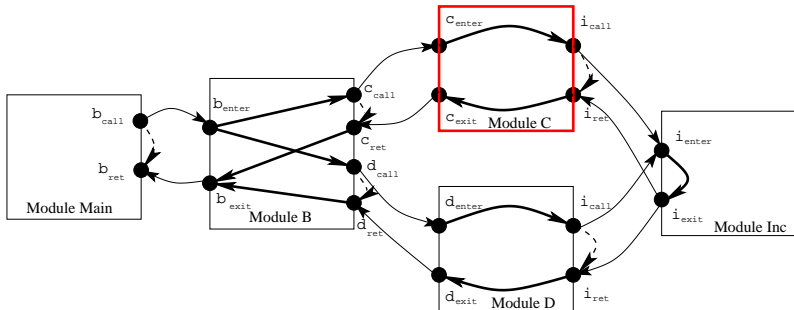


Example of modules



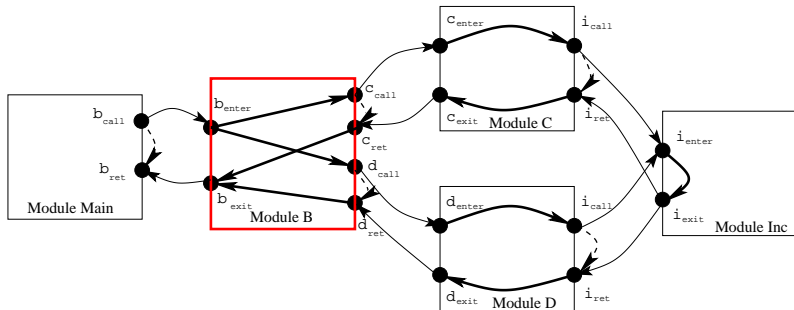
Inc.i(x): $r := x + 1$

Example of modules



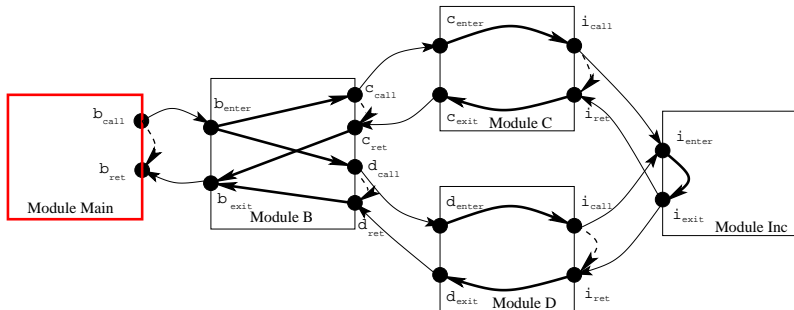
$C.c(v): r := Inc.i(v)$

Example of modules



$$B.b(y): r := C.c(2*y) + D.d(2*y + 1)$$

Example of modules



```
Main.m(x): r := B.b(x);  
assert(r > 4*x)
```

Ideal flow relations

- ▶ Idealized flow relations are sound over a module's code
- ▶ Valid properties for any possible module inputs
- ▶ Some represent pure **data flow**
- ▶ Others also model **control flow**, with a 'guarding condition'

Reality vs. formalism

- ▶ Real operational abstractions are correct only with respect to observed inputs
 - ▶ 'if $x = 271828$ then $y := 2$ else $y := 1$ ' might produce ' $y = 1$ '
- ▶ Idealized abstractions come are sound with respect to any input
 - ▶ Could be ' $y = 1 \vee y = 2$ '

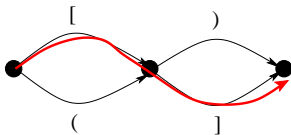
Ideal summary relations

- ▶ Idealized summary relations guarantee no assertion failures
- ▶ If they hold over module inputs, assertions in the module will succeed
- ▶ Capture the well-tested subset of behavior
- ▶ Includes program input-output relation as a special case

Consistency condition

- ▶ If holds, combined system satisfies expectations
- ▶ $(\bigwedge_i \phi_i) \Rightarrow \sigma$
 - ▶ Flow relations ϕ_i
 - ▶ Summary relation σ
- ▶ To construct:
 - ▶ Find relevant flow relations
 - ▶ Transform relations for sound combination
 - ▶ Conjoin

Context-free language reachability



- ▶ Graph with edges labelled by symbols
- ▶ Context-free language over the symbols
- ▶ Is there a path from u to v whose labels are a word of the language?
- ▶ Determine by dynamic programming

Selecting relevant flow relations

- ▶ Label calls and returns with parenthesis kinds
- ▶ Exclude paths with mismatched returns
- ▶ Data-flow edges can reset the 'stack'
 - ▶ Gadget allows arbitrary returns then calls
- ▶ Take anything on a CFL path

Soundness transformations

- ▶ Goal: consistent variable references, so conjunction $(\bigwedge_i \phi_i)$ is sensible
- ▶ **Guard** conditional flows
- ▶ **Duplicate** procedures by calling context
- ▶ **Mix** data flow between replicas

Guarding conditional control flow

- ▶ Suppose u is only sometimes followed by v
- ▶ From v , looks like $\psi(u, v)$
- ▶ Rewrite as $\gamma(u) \Rightarrow \psi(u, v)$ where γ holds only on those instances of u followed by v .

Duplication by calling context

- ▶ If $\text{Inc}.i_{\text{exit}}$ is procedure exit and $\text{C}.i_{\text{ret}}$ is return in caller, $\text{Inc}.i_{\text{exit}}.r = \text{C}.i_{\text{ret}}.x$
- ▶ Similarly $\text{Inc}.i_{\text{exit}}.r = \text{D}.i_{\text{ret}}.x$ for second call site
- ▶ Uh-oh, but $\text{C}.i_{\text{ret}}.x \neq \text{D}.i_{\text{ret}}.x$ in general
- ▶ Avoid problem if every call is distinct

Mixing data flow

- ▶ After duplicating, what about pure data flow (e.g. from shared state)?
- ▶ Conservatively allow flow between any replicas
- ▶ Every input gets at least one output, but not vice-versa

Soundness proof outline

- ▶ Suppose $(\bigwedge_i \phi_i) \Rightarrow \sigma$
- ▶ Each ϕ_i is sound by assumption
- ▶ Conjunction is legitimate, by transformations
- ▶ LHS is true, so RHS (σ) must be true
- ▶ Summary relation truth implies safety

Contributions

- ▶ Model and algorithm correct bugs in previous versions
- ▶ Formalization for soundness checking
- ▶ Complete proof for single component case (see paper)
- ▶ Proof outline for general case

Future work

- ▶ Avoid need for duplication
 - ▶ Sound treatment of repeated calls
- ▶ Complete detailed soundness proof
- ▶ Add more language features
 - ▶ Loops, recursion, higher-order procedures

Questions?