# **DualSMC:** Tunneling Differentiable Filtering and Planning under Continuous POMDPs **IJCAI 2020**

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Code: https://github.com/Cranial-XIX/DualSMC



## Planning algorithms hard to deal with unknown dynamics and partial observations

- Monte Carlo tree search, MCTS
- Cross entropy methods, CEM & Iterative linear quadratic regulator, iLQR - Assume the distribution over future trajectories to be Gaussian, i.e. unimodal

## Sequential Monte Carlo planning, SMCP

to finding the maximum posterior over actions conditioned on an optimal future



**CEM:** here the agent samples all the actions at once from a Gaussian with learned mean and covariance. It found one solution, but forgot the other one.

- Standard MCTS applies only to discrete spaces and also requires a black-box transition oracle

- Follows the framework of "control as probabilistic inference": selecting the optimal action is equivalent





**SMCP:** the agent is able to focus on the promising trajectories and does not collapse on a single mode. But, how to deal with partial observations?

From [Piche et al. 2019]



# A toy POMDPs problem that previous methods cannot solve

- Planning under uncertainty with continuous actions
- A straightforward solution:
- State estimation: Particle filter net [Karkus et al. 2018] Planning: SMCP [Piche et al. 2019]
- What's wrong with the filtering part? The regressed true state can be meaningless (at the center of the two floors).
- What's wrong with the planning part? The planner does not learn to help the filter (Based on the regressed state, it might go either left or right).







# **DualSMC Network Our approach**

#### Two sequential Monte Carlo processes - Interlinked via belief states

Adversarial particle filtering - better capture the multi-modality of the belief

#### Modules

- Proposer (**P**) to generate plausible states
- Transition model (**T**) to simulate dynamics
- Observation model (Z) to update Bayesian beliefs
- Policy network
- Critic network

- DualSMC planning control based on perceived uncertainty (so can learn to reduce it)

# **Adversarial particle filtering**



$$\operatorname{bel}(s_{t+1}) = \eta \int \operatorname{bel}(s_t)$$

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$$\min_{\phi} \max_{\theta} F(Z_{\theta}, P_{\phi}) = \mathbb{E}_{o_{1:t}} \left[ \underbrace{\mathbb{E}_{s} \log Z_{\theta}(o_{t}, s)}_{\text{true states}} + \underbrace{\mathbb{E}_{s' \sim s_{\text{old}}} \log(1 - Z_{\theta}(o_{t}, s'))}_{\text{transitioned states}} + \underbrace{\mathbb{E}_{\epsilon_{P}} \log(1 - Z_{\theta}(o_{t}, P_{\phi}(o_{t}, \epsilon_{P})))}_{\text{proposed new states}} \right]$$

 $_{t})\mathcal{Z}(o_{t+1}|s_{t+1})\mathcal{T}(s_{t+1}|s_{t},a_{t})ds_{t}$ 

#### Proposer and observation model are opposite yet dependent on each other

transitioned states

proposed new states



# **Planning explicitly on belief states**



Plan conditioned on the top candidates of the belief particles

## **Floor positioning** A toy POMDPs problem that previous methods cannot solve

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#### How does DualSMC adapt to different uncertainties?





The robot planned to <i>move upwards</i> to reduce uncertainty	Goal <b>Unobserved</b>
It became increasingly convinced to be in the <i>left half of the world</i>	<ul><li>Trap</li><li>Initial state</li></ul>
The uncertainty <i>drastically dropped</i> when it saw a decal on the wall	<ul> <li>Current state</li> <li>Moving trajectory</li> </ul>
The robot kept the <i>converged belief</i> when it returned to the area with noisy observation	<ul><li>Area with full observation</li><li>Particles</li></ul>
The robot reached the target area	<ul> <li>Planning trajectory</li> </ul>

Method	Success	# Steps
PlaNet [Hafner <i>et al.</i> , 2019]	30%	34.24
DVRL [Igl <i>et al.</i> , 2018]	42%	98.48
LSTM + SMCP [Piche <i>et al.</i> , 2018]	59%	85.40
Adversarial PF (top-1) + SMCP	58%	56.11
Adversarial PF (top-3) + PI-SMCP	64%	64.37
DualSMC with regressive PF $(\ell_2)$	92%	66.88
DualSMC with regressive PF (density)	98%	70.95
DualSMC with adversarial PF	<b>98%</b>	<b>67.49</b>

Table 3: The average result of 100 tests for 3D light-dark navigation

## n y DeepMind Lab





## **Modified Reacher** A continuous control task v

 $o = (\cos(\theta_1), \cos(\theta_2), \sin(\theta_1), \sin(\theta_2), \omega_1, \omega_2, r)$  $r = ||(r_x, r_y, r_z)||_2 + \epsilon_r$ 









# **Conclusions & limitations**

## **DualSMC** is a solution to continuous POMDPs

- ✓ First, it learns plausible belief states for high-dimensional POMDPs with an adversarial particle filter.
- $\checkmark$  Second, it plans future actions by considering the distributions of the learned belief states.
- $\checkmark$  The filter and the planner are inter-dependent and jointly trained.
- Output: New York, an imperfect model of the environment dynamics will make accumulated errors for prediction over long sequences, which is an open problem for all model-based planning methods. But since DualSMC shares the transition model between filtering and planning, it may have a more severe impact.



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# Thanks