

Simulation Analysis

This section discusses the results of the hot-potato routing simulation.

The hot-potato routing algorithm described above guarantees an expected $O(N)$ delivery and injection time where N is the diameter of the network. The simulation was designed to test these guarantees over a variety of conditions.

Graph 1 and 2 display the results of the system simulated under four different loads and 32 different network diameters. The loads are represented as a percentage of the total number of LPs (routers) that will have an associated packet injection application. Each packet injection application injects packets at a rate of one packet per time step. The network diameters used in the simulated configurations range from 8 to 256.

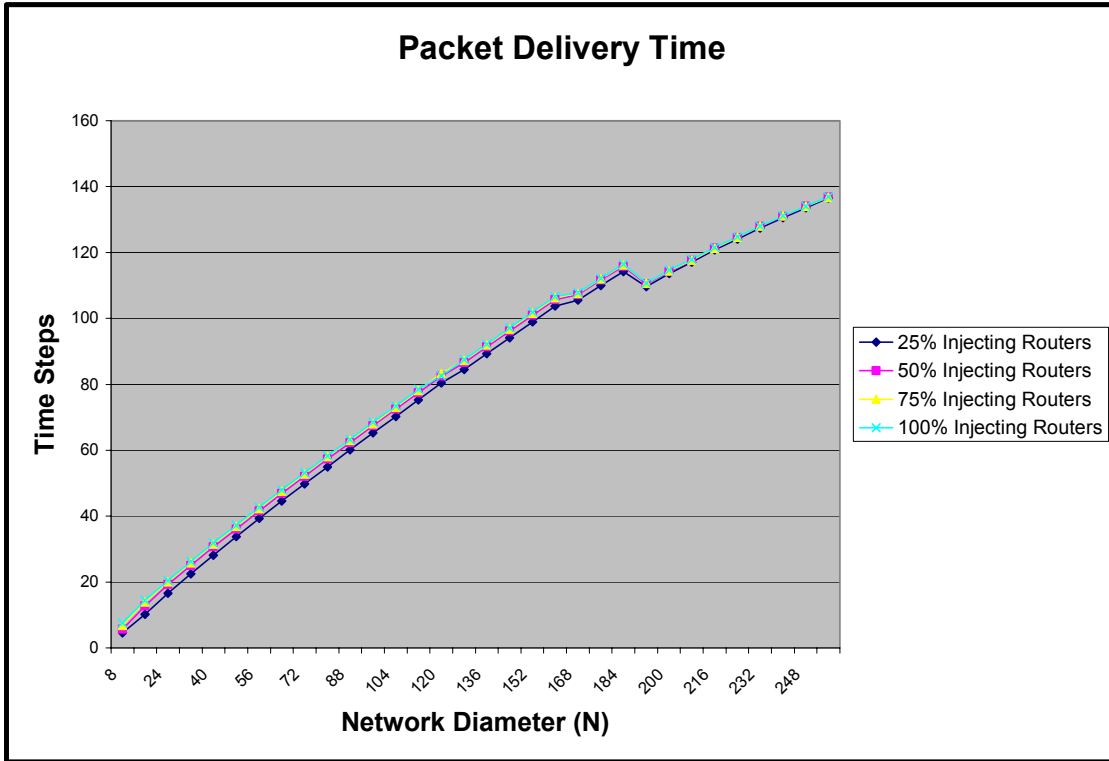
Graph 1 shows the average packet delivery time with respect to the network size.

You can see from the graph that the average delivery time increases approximately linearly with respect to N . The packet injection rate has a very limited effect on the packet delivery rate. One notable feature of the results is the change in trajectory of the graph at approximately $N = 188$. This change is caused by the probabilistic packet state changing rules. In a larger network, a greater percentage of packets have changed to higher states. This change in state comes with a change in how the packet is routed and consequently makes the algorithm perform slightly better.

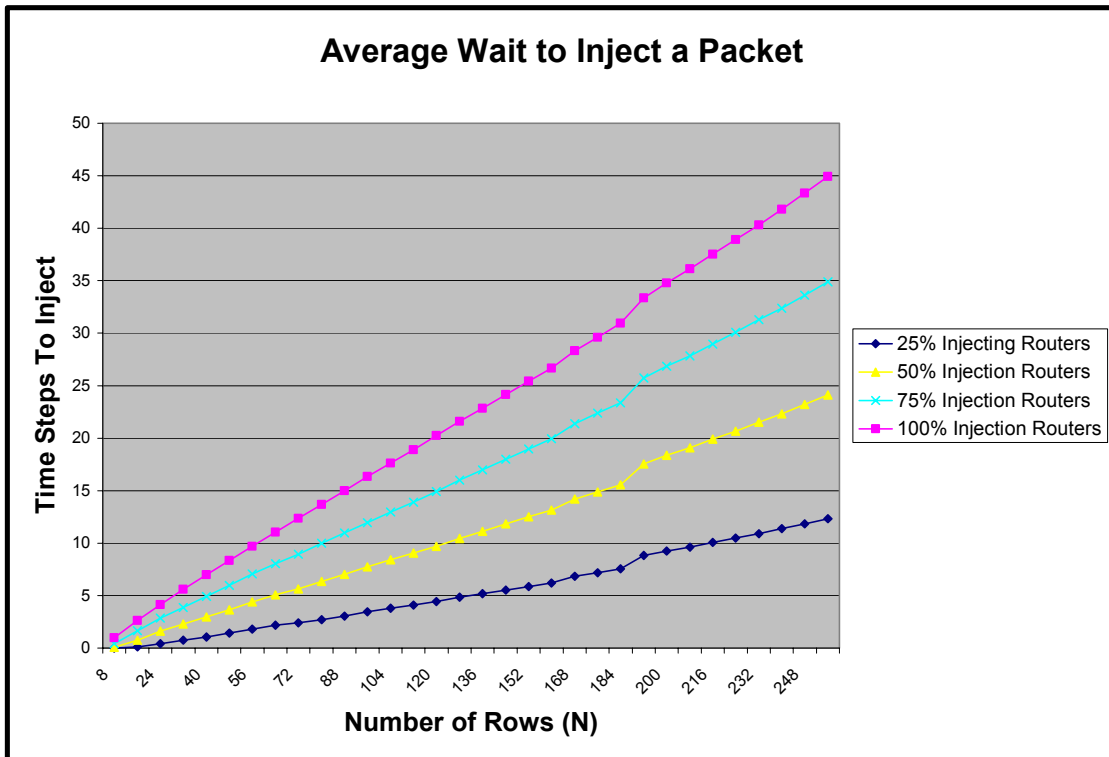
Another statistic of interest is how long a packet waits to be injected into the network. Graph 2 shows the average number of time-steps a packet waits to be injected.

You can see from the graph that the average packet injection waiting time increases approximately linearly with N within each injection configuration. However, it is obvious that the injection rate (determined by the number of injection applications) has a significant impact on the injection wait.

The injection of packets is ultimately controlled by the network mechanics. The injection rate is limited because a packet can only be injected when there is a free link at that router. A link becomes free when a packet is delivered to a router. A router will have a free link if it is the final destination of a packet that is delivered to it. A router will also have a free link if it does not receive a packet from one of its adjacent routers at that time step. Therefore, it appears that the average injection rate is linear with respect to N and is bounded by the delivery rate.



Graph 1: Packet Delivery Time



Graph 2: Average Wait to Inject a Packet