

# Recognizing Variables from their Data via Deep Embeddings of Distributions

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# Automating machine learning and analytics

Given a new dataset to model:

## **Current AutoML:**

- Try applying many models and report which one works best
- Expensive, brute-force, suboptimal search for best model
- Has no idea where the data comes from

## **Human Analyst:**

- Understand what variables generated the data
- Recall previously-analyzed datasets generated from similar variables
- Use previous experience to propose promising models for the new data

# Ingredients for successful AutoML

- 1 Organized repository of different datasets annotated with informative metadata regarding the performance of various models <sup>1</sup>
- 2 Ability to recognize which repository datasets (and best models associated with them) are relevant when presented with new data

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<sup>1</sup>Examples: OpenML, kaggle.com

# Overview

**Objective:** Given new data from unknown variable, identify which previously-seen datasets stem from the same variable

**Applications:** AutoML, semantic labeling (eg. identifying PII data), automated transforms, schema-matching, dataset search

**Approach:** Use neural network to embed each dataset as vector, such that similar variables' data have nearby embeddings

# Setup

- Repository  $\mathcal{R}$  containing  $N$  datasets  $\mathcal{D}_1, \dots, \mathcal{D}_N$
- Each dataset  $\mathcal{D}_i$  stems from a single variable  $v_i$  and is comprised of IID observations  $x_1, \dots, x_{n_i} \sim P_i$
- Some datasets in  $\mathcal{R}$  annotated as matched variables  $v_i = v_j$
- Identify which of  $\mathcal{D}_1, \dots, \mathcal{D}_N$  stem from same variable as new  $\mathcal{D}_*$

## Statistical similarity

Many measures of statistical difference can be expressed:

$$d(P_1, P_2) = \left\| \mathbb{E}_{P_1}[h(x)] - \mathbb{E}_{P_2}[h(x)] \right\|$$

with some feature map  $h$  (eg. summary statistics, histograms, RKHS)

Let  $h : x \rightarrow \mathbb{R}^k$  = neural network used to embed datasets<sup>2</sup>

$$d_h(\mathcal{D}_1, \mathcal{D}_2) = \|h(\mathcal{D}_1) - h(\mathcal{D}_2)\|_2^2 \text{ with } h(\mathcal{D}_i) = \frac{1}{|\mathcal{D}_i|} \sum_{x \in \mathcal{D}_i} h(x)$$

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<sup>2</sup>Zaheer et al. (2017). *Deep Sets*.

## Key issues

- Provided labels (ie. column names) for datasets are often uninformative, or not standardized across groups  
  
⇒ we use raw data values to gauge variable similarity
- Standard statistical similarity measures fail to:
  - ❶ Ignore natural variation between datasets containing measurements of the same type of variable (eg. *temperature* in Celsius vs Fahrenheit)
  - ❷ Distinguish different variables whose data distributions happen to be identical (eg. binary-valued variables: *true/false* or *yes/no*)
  - ❸ Facilitate efficient identification of datasets with matched variables (our vector embeddings enable approximate nearest neighbor search)

## Modeling variable matches

- $p_{ij} = \exp(-D_{ij}) :=$  probability  $\mathcal{D}_i$  and  $\mathcal{D}_j$  stem from same variable
- $D_{ij} = d_h(\mathcal{D}_i, \mathcal{D}_j) + g(\mathcal{D}_i) + g(\mathcal{D}_j)$
- $g : x \rightarrow \mathbb{R}^+ =$  another deep sets neural network to adjust probability
- Networks  $h, g$  trained jointly based on cross-entropy between  $p_{ij}$  and the match/no-match labels in the repository  $\mathcal{R}$
- $g$  learns to output large values for datasets with common distributions shared by many different variables (eg. binary-valued Bernoulli)

# Techniques to improve performance

- Triplet training with anchor samples
- Subsample datasets when calculating stochastic gradients
- Augment training set of variable-matches by splitting single dataset into two matched datasets
- For numeric data:  $h$  = feedforward network that operates on 32-bit binary representation of values instead of floats
- For text data:  $h$  = feedforward network that operates on pretrained embedding of individual text fields (eg. fastText, Bert)
- For arbitrary string data:  $h$  = LSTM that produces vector embedding

# Experiments on OpenML

- Repository of thousands of datasets created by splitting columns of hundreds of data tables taken from OpenML<sup>3</sup>
- “True” variable matches identified based on column labels (ignoring common/generic column names)
- For query dataset with column-name = age (from survival data table): the top 3 matches are all columns named age, from tables annotated as audiology, diabetes, and breast tumor data
- Dataset with highest probability adjustment value ( $\operatorname{argmax}_j g(\mathcal{D}_j)$ ) is column where 58% of values = true and the rest = false. There are many similar datasets in OpenML with diverse column names.

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<sup>3</sup><http://www.openml.org/>

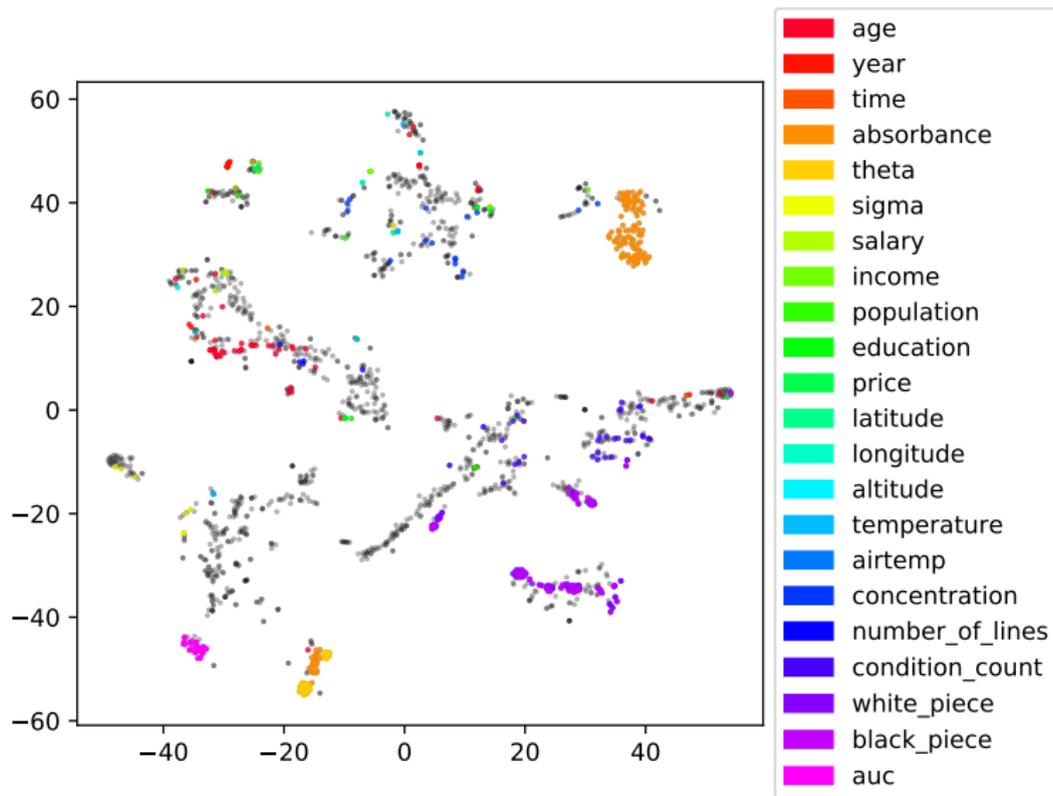
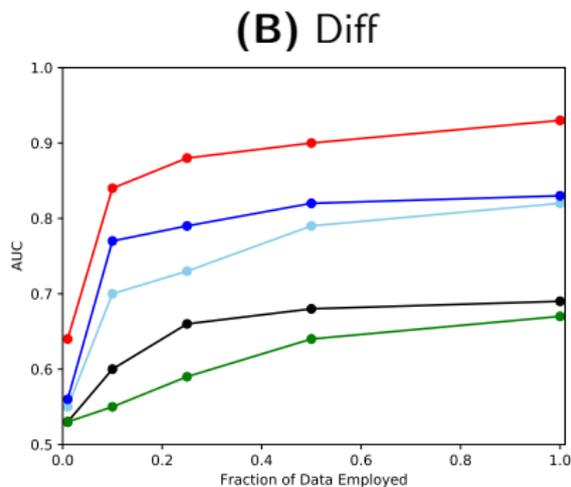
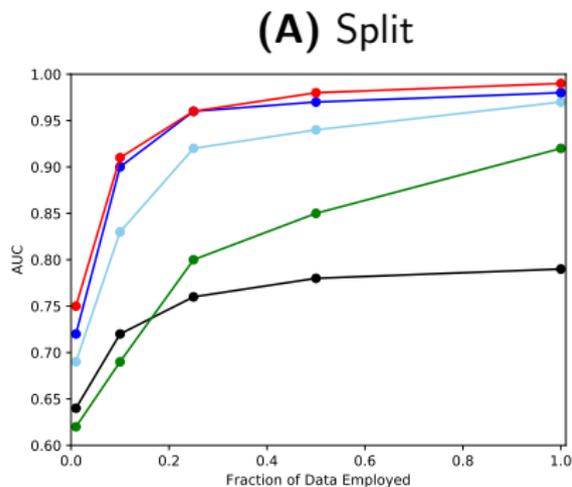


Figure: t-SNE of embeddings for 1K held-out numeric OpenML datasets. Datasets colored based on column name (if amongst topmost frequently-occurring names)



**Figure:** Match/no-match classification performance of different methods on various-sized subsamples of held-out numeric OpenML datasets:

- 1 *Mean+StdDev difference* (black)
- 2 *Kolmogorov-Smirnov p-value* (green)
- 3 *Maximum Mean Discrepancy* (light blue)
- 4 *SCF improved-MMD estimator* (blue)
- 5 *Ours* (red)

METHOD	$k = 1$	$k = 5$	$k = 10$	Recall
<i>MeanSD</i>	0.4	0.51	0.58	-
<i>KS</i>	0.46	0.59	0.67	-
<i>MMD</i>	0.48	0.62	0.69	-
<i>SCF</i>	<b>0.49</b>	0.65	0.72	-
<i>Ours</i>	0.48	<b>0.66</b>	<b>0.74</b>	-
<i>MeanSD</i>	0.35	0.44	0.53	0.52
<i>KS</i>	0.36	0.46	0.59	0.6
<i>MMD</i>	0.33	0.45	0.52	0.6
<i>SCF</i>	0.33	0.4	0.55	0.62
<i>Ours</i>	<b>0.42</b>	<b>0.61</b>	<b>0.67</b>	<b>0.71</b>

**Table:** Number of correct matches @ $k$  for retrieving datasets from  $\mathcal{R}$  in *Split* (unshaded) and *Diff* (shaded) settings (averaged over 100 query datasets)

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