GOO Reference Manual v39

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1 Introduction

 \mathcal{GOO} is a dynamic type-based object-oriented language. It is designed to be simple, productive, powerful, extensible, dynamic, efficient and real-time. It heavily leverages features from many earlier languages. In particular, it attempts to be a simpler, more dynamic, lisp-syntaxed Dylan [4] and an object-oriented Scheme [3]. \mathcal{GOO} 's main goal is to offer the best of both scripting and delivery languages while at the same time incorporating an extreme back-to-basics philosophy. \mathcal{GOO} is freely available from www.googoogaga.org under GPL. This manual is preliminary and relies on an understanding of Scheme and Dylan.

1.1 Notation

Throughout this document \mathcal{GOO} objects are described with definitions of the following form:

ļ	Name	Signature	Л	ſ
	Documentati	on		

where the rightmost kind field has a one letter code as follows:

Ν	Notation	\mathcal{N}
L	Lexical	\mathcal{N}
S	Syntax	\mathcal{N}
G	Generic	\mathcal{N}
М	Method	\mathcal{N}
F	Function	\mathcal{N}
С	Class	\mathcal{N}
I	Instance	\mathcal{N}
К	Command	\mathcal{N}

1.2 Lexical Structure

The lexical structure is mostly the same as Scheme [3] with the notable exceptions being that identifiers can start with numeric digits if they are clearly distinguishable from floating point numbers and no syntax is provided for specifying improper lists. Furthermore, vertical bars are tokenized immediately and separately and have special meaning within lists, providing syntactic sugar for typed variables.

The following is a very brief and incomplete description of how characters are tokenized into s-expressions, where s-expressions are either tokens or lists of s-expressions:

<i>i</i>	Line comment	\mathcal{N}
#/ /#	Nested comment	\mathcal{N}
. + - [0-9]+	Number	\mathcal{N}

#e #i #b #o #d #x	Special number	\mathcal{N}
#t #f	Logical	\mathcal{N}
#\name	Character	\mathcal{N}
[a-zA-Z0-9]+	Identifier	\mathcal{N}
()	List	\mathcal{N}
#()	Vector	\mathcal{N}
" "	String	\mathcal{N}
\ <i>c</i>	Special character's within strings	\mathcal{N}
x t	Typed variable within list $\equiv (x t)$.	\mathcal{N}
#	Escaped vertical bar.	\mathcal{N}

1.3 Meta Syntax

 \mathcal{GOO} 's syntax is described almost entirely as \mathcal{GOO} patterns. \mathcal{GOO} patterns in turn are defined with a quasiquote metasyntax. Pattern variables are prefixed with a "," or ", e" to indicate the matching of one or many elements respectively. The default is for a pattern variable to match one or many s-expressions. Alternatively, a pattern variable's shape may be defined with another pattern. The ,name shape is builtin and matches only identifiers. The '[`...']' metasyntax is used to indicate optional patterns, '...' is used to indicate zero or more of the preceding pattern element, and # is used to denote infix string concatenation. Finally, in this manual, uppercase indicates a special form or macro.

1.4 Conventions

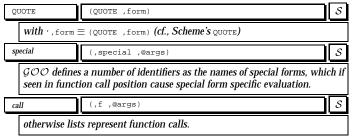
The following naming conventions are used throughout this manual:

'<''>'	Type variable	\mathcal{N}
'*''*'	Global variable	\mathcal{N}
'?'	Predicate	\mathcal{N}
'!'	Destructive function	\mathcal{N}
'-setter'	Setter	\mathcal{N}

2 Expressions

Once tokenized, \mathcal{GOO} evaluates s-expressions in the usual lisp manner:

var	,name	S
return	is the value of binding r	named , name in the current environment.
lit	,lit	S
syntae	ctic literals that are self-	evaluating.



3 Namespaces and Bindings

 \mathcal{GOO} is a lexically scoped language. Bindings contain values and are looked up by name. Lexical bindings are visible from only particular textual ranges in a program. Lexical bindings shadow visible bindings of the same name.

At the topmost level, \mathcal{GOO} provides simple modules that map from names to bindings. Each file introduces a new module with the same name as the file. Nested modules are supported by way of slashes in module names. Modules can import bindings exported by other modules, but currently there is no way to selectively exclude or rename imported bindings. Furthermore, no cycles can occur in the module use heterarchy.

V	(DV ,var ,form)
defines a glo	bal variable named (var-name ,var) with an initial value ,form
(cf. Scheme's	DEFINE).
EF	(DEF ,var ,val)
context of th	$_{\rm S}$, $_{\rm var}$ to , $_{\rm val}$ and evaluates remainder of current body in the at binding.
	(DEF (TUP ,var) ,val)
	ing can also be specified using TUP on the lhs of a DEF binding. (DEF (TUP x y) (TUP 1 2))
ET	(LET ((,var ,val)) ,@body)
\equiv (seq (def	,var ,val) ,@body)
h	
here	
var	\equiv ,name (,name ,type) \mathcal{L}
with ,name	,type \equiv (,name ,type) within lists.
ET	(SET ,name ,form)
sets , name bi	nding to value of evaluating , form (cf. Scheme's SET!)
	(SET (,name ,@args) ,form)
\equiv (,name ##	-setter ,form ,@args)
SE	(USE ,name)
	dule <code>,name</code> (if it hasn't been loaded already) and aliases all the dings into the current namespace.
XPORT	(EXPORT ,name)
makes the bi future.	inding ,name available to code which uses this module in the
SE/EXPORT	(USE/EXPORT ,name)
same as use	olus reexports all imported bindings.
L	

4 Program Control

 ${\cal GOO}$ provides a variety of program control constructs including function calls, conditional execution, and nonlocal control flow.

SEQ	(SEQ ,@forms)	5
evaluates Scheme's	forms sequentially and returns values of evaluating last for BEGIN)	òrm (c
	(SEQ)	5
returns fa	lse	
IF	(IF ,test ,then [,else])	1
	either ,then if ,test is non-false otherwise evaluates ,e IF). The ,else expression defaults to false.	lse (C
AND	(AND ,form ,@forms)	5
\equiv (IF ,f		
	(AND ,form)	5
\equiv ,form	_	
OR	(OR ,form ,@forms)	ć
\equiv (seq (1	DEF x ,form) (IF x x (OR ,@FORMS)))	
	(OR ,form)	5
\equiv ,form		
UNLESS	(UNLESS ,test ,@body)	5
\equiv (IF (N	- DT ,test) (SEQ ,@body))	
WHEN	(WHEN ,test ,@body)	5
≡(IF,t	est (SEQ ,@body))	
COND	(COND (,test ,@body))	1 5
	(SEQ ,@body) of first clause whose ,test evaluates to non-1 ASE and Scheme's COND).	false (c
	(CASE[-BY] ,value [,test]	
CASE[-BY]	((,@keys) ,@body))	5
(,test , CASE). N.I	,value and then evaluates (SEQ ,@body) of first clause for ralue ,key) returns non-false (cf. Dylan's SELECT and S. B., each key is evaluated, thus symbols must be quoted. The the CASE form is ==.	cheme
OPF	(OPF ,place ,expr)	5
_	DEF _ ,place) (SET ,place ,expr)), where ,place is ev . For example, (OPF x (+ -1)) \equiv (SET x (+ x 1)).	aluate
SWAPF	(SWAPF ,x ,y)	5
	DEF tmp ,x) (SET ,x ,y) (SET ,y tmp)), where ,x and only once.	,у а
call	(,f ,@args)	5
	, ${\tt f}$ and then , ${\tt eargs}$ in left to right order and then calls , ${\tt f}$, arguments.	with tl
REP	(REP ,name ((,var ,init)) ,@body)	5
defines a	recursive loop (cf., Dylan's ITERATE or Scheme's (LET , var))
ESC	(ESC ,name ,@body)	1
to , name i BLOCK/RET	(SEQ , @body) with an exit function of a single parameter, x that if called, will cause ESC to return the value of x (cf.) URN). It is illegal to call the exit function after the executio (SC form (i.e., no upward continuations).	Dylan
FIN	(FIN , protected ,@cleanups)	
T. T IN	(11M , protected , wereanups)	۰ ۱

ensures that (SEQ ,@cleanups) is evaluated whether or not an ESC upwards exit is taken during the dynamic-extent of ,protected (cf. Dylan's BLOCK/CLEANUP form and CL's UNWIND-PROTECT). The result of a FIN form is the result of evaluating its protected form.

ASSERT	(ASSERT ,test ,message ,@args)	\mathcal{S}
\equiv (unless ,	test (ERROR ,message ,@args))	

5 Types, Classes and Properties

 \mathcal{GOO} types categorize objects. Types are first class. They are used to annotate bindings. Binding types restrict the type of objects bindable to associated bindings.

 \mathcal{GOO} supports the following types in order of specificity (with the exact ordering defined in Appendix B):

- Singleton types specify a unique instance,
- *Classes* and *properties* specify the structure, inheritance, and initialization of objects. Every object is a direct instance of a particular class,
- Product types specify a cross product of types,
- Subclass types specify a lineage of classes, and
- Union types specify a union of types.

The basic type protocol is:

<type></type>	(<any>)</any>
isa?	(x <any> y <type> => <log>)</log></type></any>
subtype?	(x <type> y <type> => <log>)</log></type></type>
returns tru	e iff x is a subtype of y .
new	(type <type> prop-inits)</type>
	otocol taking type and creation options where prop-inits con- / initial value pairs.

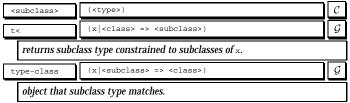
5.1 Singletons

Singleton types match exactly one value using ==. Singletons are the most specific types.

<singleton></singleton>	(<type>)</type>	\mathcal{C}
t=	(x <any> => <singleton>)</singleton></any>	\mathcal{G}
returns sing	leton constrained to x.	
type-object	(x <singleton> => <any>)</any></singleton>	\mathcal{G}
object that si	ngleton type matches.	

5.2 Subclasses

Subclass types match classes and their subclasses. They are quite useful in situations that involve class arguments that need to be further constrained.



5.3 Unions

Union types represent the disjunction of types. In conjunction with singleton types, they can be used to represent C-style $_{enum}$'s.

<union></union>	(<type>)</type>
t+	(types => <union>)</union>
returns uni	on type representing disjunction of types.
union-elts	(x <union> => <seq>)</seq></union>
types that u	nion type matches.
types that u	nion type matches. (type <type> => <union>)</union></type>

5.4 Product

Product types represent tuples formed as the cartesian product of types. They are often used to describe multiple value return types.

<product></product>	(<type>)</type>	\mathcal{C}
t*	(types => <product>)</product>	\mathcal{G}
returns prod	uct type specifying the cross product of types.	
product-elts	(x <product> => <seq>)</seq></product>	\mathcal{G}
types that pr	oduct type matches.	

5.5 Classes

Classes are types that specify an inheritance relationship and can have associated structured data through properties.

<class></class>	(<type>)</type>	\mathcal{C}
class-name	(x <class> => (t? <sym>))</sym></class>	\mathcal{G}
returns class	name or false otherwise.	
class- parents	(x <class> => <seq>)</seq></class>	\mathcal{G}
direct superc	lasses.	
class- ancestors	(x <class> => <seq>)</seq></class>	\mathcal{G}
class preceder	nce list including this class. See Appendix A for details.	
class- direct-props	(x <class> => <seq>)</seq></class>	\mathcal{G}
properties de	fined directly on this class.	
class-props	(x <class> => <seq>)</seq></class>	\mathcal{G}
properties de	fined on this class or any superclass.	
class- children	(x <class> => <seq>)</seq></class>	\mathcal{G}
direct subclas	sses.	
DC	(DC ,name (,@parents))	S
defines a clas	s named ,name with direct parents ,@parents	
new	(type <class> prop-inits)</class>	\mathcal{M}
	stance of type type and prop initialized as specified by p example, (new <point> point-x 1 point-y 2) creates a p y=2.</point>	-

5.5.1 Properties

Properties are named data associated with classes. Their values are accessed exclusively through generic functions, called getters and setters. Descriptions of properties are instances of <prop>. Property values can either be specified at creation time with keyword arguments, by calling a property setter, or through a property initialization function called lazily the first time a getter is called if the property is otherwise uninitialized. Property initialization functions are called with a single argument, the object under construction.

<prop></prop>	(<any>)</any>
prop-owner	(x <prop> => <any>)</any></prop>
class on whi	ch property was directly defined.
prop-getter	(x <prop> => <gen>)</gen></prop>
reader acces	sor generic.
prop-setter	(x <prop> => <gen>)</gen></prop>
writer access	sor generic.
prop-type	(x <prop> => <type>)</type></prop>
type constra	ining property value.
prop-init	(x <prop> => <fun>)</fun></prop>
lazy initializ	zation function.
find-getter	(c <class> getter <gen> => <met>)</met></gen></class>
finds getter	method defined on given class.
find-setter	(c <class> setter <gen> => <met>)</met></gen></class>
finds setter i	nethod defined on given class.
prop-bound?	(x g <gen> => <log>)</log></gen>
returns true	if property with getter $_{\mathfrak{S}}$ is bound in instance $_{\times}$.
	(owner getter <gen> setter <gen></gen></gen>
add-prop	type <type> init <fun>)</fun></type>
	is a one parameter function that returns the initial value for the ts called lazily with the new instance as the argument.
DP	(DP ,name (,oname ,owner => ,type) [,@init])
"-setter", t	erty to <code>,owner</code> with getter named <code>,name</code> , setter named <code>,name</code> ## ype <code>,type</code> , and optionally initial value <code>,init</code> . The initial value valuated lazily when prop's value is first requested.

6 Functions

All operations in \mathcal{GOO} are functions.

Functions accept zero or more arguments, and return one value. The parameter list of the function describes the number and types of the arguments that the function accepts, and the type of the value it returns.

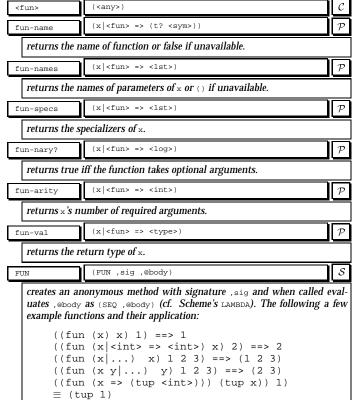
There are two kinds of functions, methods and generic functions. Both are invoked in the same way. The caller does not need to know whether the function it is calling is a method or a generic function.

A method is the basic unit of executable code. A method accepts a number of arguments, creates local bindings for them, executes an implicit body in the scope of these bindings, and then returns a value.

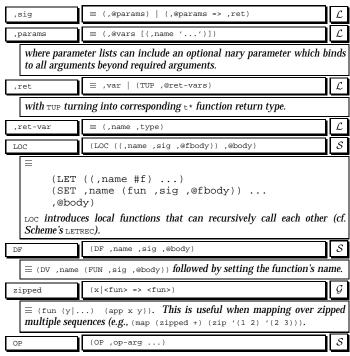
A generic function contains a number of methods. When a generic function is called, it compares the arguments it received with the parameter lists of the methods it contains. It selects the most ap-

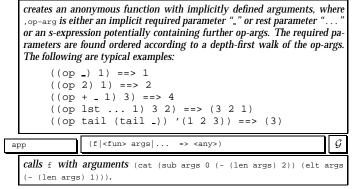
propriate method and invokes it on the arguments. This technique of method dispatch is the basic mechanism of polymorphism in \mathcal{GOO} .

All \mathcal{GOO} functions are objects, instances of <fun>. Generic functions are instances of <gen> and methods are instances of <met>.



where





6.1 Generics

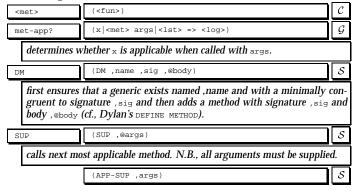
Generic functions provide a form of polymorphism allowing many implementation methods with varying parameter types, called *specializers*. Methods on a given generic function are chosen according to applicability and are then ordered by specificity. A method is applicable if each argument is an instance of each corresponding specializer. A method A is more specific than method B if all of A's specializers are subtypes of B's. During method dispatch three cases can occur:

- if no methods are applicable then a no-applicable-method error is signaled,
- if methods are applicable but are not orderable then an ambiguous-method error is signaled,
- if methods are applicable and are orderable then the most specific method is called and the next methods are established.

<gen></gen>	(<fun>)</fun>	\mathcal{C}			
fun-mets	(x <gen> => <lst>)</lst></gen>	\mathcal{P}			
returns ×'s n	nethods.				
gen-add-met	(x <gen> y <met> => <gen>)</gen></met></gen>	\mathcal{G}			
adds method	y to generic x.				
ord-app-mets	<pre>(x <gen> args => (tup ord <lst> amb <lst>))</lst></lst></gen></pre>	\mathcal{G}			
returns both the list of sorted applicable methods and any ambiguous methods when generic $_{\rm x}$ is called with arguments args.					
DG	(DG ,name ,sig)	\mathcal{S}			
defines a bin	defines a binding with name , name bound to a generic with signature , sig.				

6.2 Methods

Methods are \mathcal{GOO} 's code objects. Methods can optionally be added to generics.



applies next most applicable method. N.B., all arguments must be supplied.

6.3 Macros

Macros provide a facility for extending the base syntax of \mathcal{GOO} . The design is based on quasiquote code templates and a simple list pattern matching facility.

1		
QUASIQUOTE	(QUASIQUOTE ,@qq-forms)	\mathcal{S}
QUOTE with S Lisp and Sch	selective evaluation using UNQUOTE and SPLICING-UNQUOTE eme's QUASIQUOTE), abbreviated "、".	(cf.
UNQUOTE	(UNQUOTE ,form)	S
evaluates , fo	prm in the midst of a QUASIQUOTE expression, abbreviated ",	".
SPLICING- UNQUOTE	(SPLICING-UNQUOTE ,form)	S
evaluates , f abbreviated	form in the midst of a quasiquote expression and splices is ", $@$ ".	t in,
MATCH	(MATCH ,exp (,pat ,val))	\mathcal{S}
much the sam	al corresponding to first , pat matching , exp. The patter me as guasiguote and can contain either unguote 'd variable icing variables. For example, CH '(1 2) ((, a , b) (lst a b))) \rightarrow (1 2)	
	$(1 2) ((,a,@b) (lst a b))) \rightarrow (1 (2)$	2))
DS	(DS ,pattern ,@body)	\mathcal{S}
,@body. The variables du (DS `(if	acro matching pattern ,pattern and expanding accordin pattern matching occurs as in MIF and makes available pat ring the evaluation of (SEQ ,@body). For example, (when ,test ,@body) (not ,test) (seq ,@body))) hen macro in GOO.	
where		
pattern	<pre></pre>	\mathcal{L}
CT	(CT ,@body)	\mathcal{S}
	EQ , ebody) at compile-time allowing a user to make avai s for the purpose of macro-expansion.	lable
CT-ALSO	(CT-ALSO ,@body)	\mathcal{S}
ilar to (eval	ct, but also includes a copy of ,@body in compiled images. -when (:compile-toplevel :execute)) in Common L alue of ct-Also is undefined.	
MACRO-EXPAND	(MACRO-EXPAND ,form)	S
recursively e	xpands macros in expression ,form.	

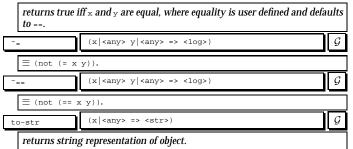
7 Scalars

GOO provide a rich set of simple objects.

7.1 Any

All objects are derived from <any>.

<any></any>	(<any>)</any>	\mathcal{C}	
as	(x <any> y <any> => <any>)</any></any></any>	\mathcal{G}	
coerces y to a	n instance of x.		
==	(x <any> y <any> => <log>)</log></any></any>	\mathcal{G}	
returns true iff x and y are computationally equivalent.			
=	(x <any> y <any> => <log>)</log></any></any>	\mathcal{G}	



7.2 Booleans

In \mathcal{GOO} , for convenience sake, true is often represented by anything that is not false, but $_{\#t}$ is reserved for the canonical true value. False is often used to represent null.

<log></log>	(<any>)</any>	\mathcal{C}
#f	<log></log>	\mathcal{I}
#t	<log></log>	\mathcal{I}
not	(x <any> => <log>)</log></any>	\mathcal{M}
\equiv (if x #f	x)	

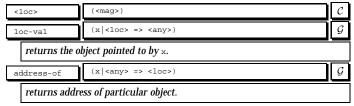
7.3 Magnitudes

Magnitudes are totally orderable objects. Users are only required to implement < and =.

<mag></mag>	(<any>)</any>	\mathcal{C}	
<	(x <mag> y <mag> => <log>)</log></mag></mag>	\mathcal{G}	
returns iff $_{\times}$ i	is less than y.		
>	(x <mag> y <mag> => <log>)</log></mag></mag>	\mathcal{G}	
\equiv (not (or	(< x y) (= x y))).		
<=	(x <mag> y <mag> => <log>)</log></mag></mag>	\mathcal{G}	
≡ (or (< x ;	y) (= x y)).		
>=	(x <mag> y <mag> => <log>)</log></mag></mag>	\mathcal{G}	
\equiv (not (< x	y)).		
min	(x <mag> y <mag> => <mag>)</mag></mag></mag>	\mathcal{G}	
returns the smallest of $_{\rm X}$ and $_{\rm Y}$.			
max	(x <mag> y <mag> => <mag>)</mag></mag></mag>	\mathcal{G}	
returns the la	argest of x and y .		

7.4 Locatives

Locatives are word aligned pointers to memory. They are meant to be used to represent pointers to foreign data and not to point to interior \mathcal{GOO} object data.



7.5 Characters

GOO currently supports 8 bit ASCII characters.

<chr></chr>	(<mag>)</mag>	\mathcal{C}
alpha?	(x <chr> => <log>)</log></chr>	\mathcal{G}
returns tr	ue iff x is one of the ASCII upper or lowercase characters.	
digit?	(x <chr> => <log>)</log></chr>	\mathcal{G}
returns tr	ue iff x is one of the ten ASCII numeric characters.	
lower?	(x <chr> => <log>)</log></chr>	\mathcal{G}
returns tr	ue iff x is one of the ASCII lowercase characters.	
upper?	(x <chr> => <log>)</log></chr>	\mathcal{G}
returns tr	ue iff x is one of the ASCII uppercase characters.	
to-digit	(x <chr> => <int>)</int></chr>	\mathcal{G}
converts a	scii representation of digit to an integer one.	
to-lower	(x <chr> => <chr>)</chr></chr>	\mathcal{G}
returns lo turns ×.	wercase version of uppercase alphabetic characters otherwis	e re-
to-upper	(x <chr> => <chr>)</chr></chr>	\mathcal{G}
returns up turns ×.	opercase version of lowercase alphabetic characters otherwis	e re

7.6 Numbers

<num></num>	(<mag>)</mag>	\mathcal{C}
+	(x <num> y <num> => <num>)</num></num></num>	\mathcal{G}
returns the	sum of its arguments.	
-	(x <num> y <num> => <num>)</num></num></num>	\mathcal{G}
returns the	difference of its arguments.	
*	(x <num> y <num> => <num>)</num></num></num>	\mathcal{G}
returns the	product of its arguments.	
/	(x <num> y <num> => <num>)</num></num></num>	\mathcal{G}
returns the	quotient of its arguments.	
round	(x <num> => <int>)</int></num>	\mathcal{G}
	est integer to x . If x is exactly between two integers the tion is free to return either integer.	en the
round-to	(x <num> n <int> => <flo>)</flo></int></num>	\mathcal{G}
returns \times to	closest flo n digits precision.	
floor	(x <num> => (tup <int> rem <num>))</num></int></num>	\mathcal{G}
returns an i	nteger by truncating x towards negative infinity.	
ceil	<pre>(x <num> => (tup <int> rem <num>))</num></int></num></pre>	\mathcal{G}
returns an i	nteger by truncating $_{\times}$ towards positive infinity.	
trunc	(x <num> => (tup <int> rem <num>))</num></int></num>	\mathcal{G}
returns an i	nteger by truncating × towards zero.	
mod	(x <num> y <num> => <num>)</num></num></num>	\mathcal{G}
returns the	remainder after taking the floor of the quotient of x and y .	
rem	(x <num> y <num> => <num>)</num></num></num>	\mathcal{G}
returns rem	ainder after dividing \times by $_{\rm Y}$.	
pow	(x <num> e <num> => <num>)</num></num></num>	\mathcal{G}

returns × raise	ed to the e power.		<int> (<num>) (</num></int>
sqrt	(x <num> => <num>)</num></num>	\mathcal{G}	(x <int> y <int> => <int>)</int></int></int>
returns the squ	uare root of x.		returns the logical inclusive or of its arguments.
pos?	(x <num> => <log>)</log></num>	\mathcal{G}	<u>κ</u> (x <int> y <int> => <int>)</int></int></int>
≡ (> x 0)			returns the logical and or of its arguments.
zero?	(x <num> => <log>)</log></num>	\mathcal{G}	<pre>^ ((x <int> y <int> => <int>))</int></int></int></pre>
≡ (= x 0)			$\equiv (\mid (\& \mathbf{x} (\tilde{\mathbf{y}})) (\& (\tilde{\mathbf{x}} \mathbf{y})))$
neg?	(x <num> => <log>)</log></num>	${\mathcal G}$	~ (x <int> => <int>)</int></int>
≡ (< x 0)			returns the logical complement of its argument.
neg	(x <num> => <num>)</num></num>	${\mathcal G}$	bit? (x <int> n <int> => <log>)</log></int></int>
≡ (- 0 x)			returns true iff nth bit is 1.
abs	(x <num> => <num>)</num></num>	\mathcal{G}	even? (x <int> => <log>)</log></int>
	x) (neg x) x)		odd? (x <int> => <log>)</log></int>
num-to-str- base	(x <num> b <int> => <str>)</str></int></num>	\mathcal{G}	gcd (x <int> y <int> => <int>)</int></int></int>
returns string	representation of x in base b.		greatest common denominator.
num-to-str	(x <num> => <str>)</str></num>	${\mathcal G}$	lcm (x <int> y <int> => <int>)</int></int></int>
equiv (num-to	o-str-base x 10)		least common multiple.
str-to-num	(x <str> => <num>)</num></str>	${\mathcal G}$	<
returns closest	t number corresponding to string x.		returns n bit shift left of x.
INCF	(INCF ,name)	S	>> (x <int> n <int> => <int>)</int></int></int>
\equiv (SET ,name	(+ ,name 1))		returns signed n bit shift right of x.
	(INCF (,name ,@rest))	S	>>> (x <int> n <int> => <int>)</int></int></int>
	e ,@rest) (+ (,name ,@rest) 1))		returns unsigned n bit shift right of x .
DECF	(DECF ,name)	S	
\equiv (SET ,name		S	7.6.2 Floats
	(DECF (,name ,@rest)) e ,@rest) (+ (,name ,@rest) 1))	3	
\$e	<pre><flo></flo></pre>	I	\mathcal{GOO} currently only supports single-precision floating poin numbers.
\$pi	<flo></flo>	I	<flo> (<num>) (</num></flo>
sqrt	(x <num> => <num>)</num></num>	G	flo-bits (x <flo> => <int>)</int></flo>
log	(x <num> => <num>)</num></num>	G	returns bit representation as an integer.
logn	(x <num> b <num> => <num>)</num></num></num>	G	
sin	(x <num> => <num>)</num></num>	G	8 Collections
cos	(x <num> => <num>)</num></num>	\mathcal{G}	
tan	(x <num> => <num>)</num></num>	\mathcal{G}	Collections are aggregate data structures mapping keys to value Collections can be almost entirely defined in terms of an enume
asin			
	(x <num> => <num>)</num></num>	${\mathcal G}$	ation class.
acos	(x <num> => <num>) (x <num> => <num>)</num></num></num></num>	G G	<col/> (<any>) (</any>
acos atan		╡┝═╡	<pre><col/> (<any>) (<col/>) (<col/>) (</any></pre>
	(x <num> => <num>)</num></num>	G	<col/> (<any>) (<col/> (col>) (col) (col>) (col) (col)</any>
atan	(x <num> => <num>) (x <num> => <num>)</num></num></num></num>	G G	<pre><col/> (<any>) (<col/> (<col/> (<col/>) (<col/> (<col/></any></pre>
atan atan2	<pre>(x <num> => <num>) (x <num> => <num>) (y <num> x <num> => <num>)</num></num></num></num></num></num></num></pre>	G G G G	<col/> (<any>) (<col/> (col>) (col) (col>) (col) (col)</any>

 \mathcal{G}

 \mathcal{G}

(t|(t< <col>) elts|... => <col>) returns new collection of type t with initial values elts and keys (below

(x|<col> => <int>)

7.6.1 Integers

 ${\cal GOO}$ currently represents integers as 30 bit fixnums.

fabs

len

(len elts)).

returns number of collection elements.	
col-res-type (x <col/> => <type>)</type>	\mathcal{G}
appropriate instantiable type for creating collection results, where the fault is (<code>object-class x</code>).	de-
empty? (x <col/> => <log>)</log>	\mathcal{G}
\equiv (= (len x) 0)	
empty (x <col/> => <col/>)	\mathcal{G}
returns collection specific unique empty value.	
key-test (x <col/> => test <fun>)</fun>	\mathcal{G}
returns collection's key equality function.	
(x <col/> => (t= ==))	\mathcal{M}
default key-test is identity function.	
key-type (x <col/> => <type>)</type>	\mathcal{G}
returns collection x's key type.	
elt-type (x <col/> => <type>)</type>	\mathcal{G}
returns collection x's element type.	
elt (x <col/> k <any> => <any>)</any></any>	\mathcal{G}
returns collection x 's element associated with key k .	
elt-or (x <col/> k d => <any>)</any>	\mathcal{G}
returns collection x's element associated with key k or default a if it does exist.	sn't
mem? (x <col/> y <any> => <log>)</log></any>	\mathcal{G}
returns true iff $_{\rm Y}$ is an element of $_{\rm X}$.	
add (x <col/> y <any> => <col/>)</any>	\mathcal{G}
returns collection with $_{\rm Y}$ added to x.	
elts (x <col/> keys <seq> => <col/>)</seq>	\mathcal{G}
subset of elements of x corresponding to keys keys.	
dup (x <col/> => <col/>)	\mathcal{G}
returns shallow copy of x.	
keys (x <col/> => <seq>)</seq>	\mathcal{G}
returns x's keys.	
items (x <col/> => <seq>)</seq>	\mathcal{G}
returns a sequence of x's key/val tuples.	
del (x <col/> key <any> => <col/>)</any>	\mathcal{G}
returns copy of x's without element corresponding to $_{\rm key.}$	
zap (x <col/> => <col/>)	\mathcal{G}
returns empty copy of x.	
fill (x <col/> y <any> => <col/>)</any>	\mathcal{G}
returns copy of x with all values being y .	
any? (f <fun> x <col/> => <log>)</log></fun>	\mathcal{G}
returns true iff any of x's element satisfies given predicate f .	
find (f <fun> x <col/> => <any>)</any></fun>	\mathcal{G}
returns key associated with first of x 's values to satisfy predicate f .	
<pre>find-or (f <fun> x <col/> default => <any>)</any></fun></pre>	\mathcal{G}
returns key associated with first of x's values to satisfy predicate f or defa if not found.	ult

all?	(f <fun> x <col/> => <log>) ${\cal G}$</log></fun>
returns tru	ue iff all of x's elements satisfies given predicate f.
fold	(f <fun> init <any> x <col/> => <col/>)</any></fun>
\equiv (f (f .	(f init (elt x 0)) (elt x (- n 2))) (elt x (- n 1)))
fold+	(f <fun> x <col/> => <any>)</any></fun>
<pre></pre>	(f (elt x 0) (elt x 1)) (elt x (- n 2))) (elt x (- n $% \left($
do	(f <fun> x <col/>)</fun>
iterates fu	nction f over values of x for side-effect.
map	(f <fun> x <col/> => <col/>)</fun>
iterates fu	nction f over values of given collections and collects the results.

8.1 Mutable Collections

Mutation is seen as a necessary evil and is supported but segregated in hopes of trying to isolate and optimize the nondestructive cases. Mutation includes the notion of modifying values and adding/removing keys. The hope is that functional (nondestructive) programs will be both more succinct, understandable, and efficient than equivalent destructive programs. Only core collection operators are given destructive versions. All others can be built out of nondestructive operators followed by into¹.

<col!></col!>	(<any>)</any>	\mathcal{C}
elt-setter	(v <any> x <col/> k <any>)</any></any>	\mathcal{G}
sets collectio	$n \ge s$ element associated with key \Bbbk to \blacktriangledown .	
into	(x <col!> y <col/> => <col!>)</col!></col!>	\mathcal{G}
replaces elen	nents of x with elements of y .	
fill!	(x <col!> y <any> => <col!>)</col!></any></col!>	\mathcal{G}
fills \times with $_{\rm Y}$'s.	
add!	(x <col!> y <any ==""> <col!>)</col!></any></col!>	\mathcal{G}
adds $_{\rm Y}$ to $_{\rm X}$.		
del!	(x <col!> key <any> => <col!>)</col!></any></col!>	\mathcal{G}
<i>removes</i> key	from x.	
zap!	(x <col!> => <col!>)</col!></col!>	\mathcal{G}
removes all	of x's elements.	

8.2 Enumerators

Enumerations are the foundation of collections and are designed to provide the convenience of Lisp's list interface (e.g., null, car, cdr) for all collections. In defining a new collection class, a user must implement at minimum an enumerator class and the enumeration protocol: enum, fin?, nxt, and now. For efficiency, users might choose to override more methods such as len, elt, elt-setter, etc. Enumeration behavior is undefined if an enumerator is modified during enumeration.

<enum></enum>	(<any>)</any>	\mathcal{C}
enum	(x <col/> => <enum>)</enum>	\mathcal{G}
returns initia	l enum for iterating over ×.	

¹When optimization is in place, the 1 suffixed functions will be deprecated.

fin?	(x <enum> => <log>)</log></enum>
returns true	iff no more elements exist from given enum x.
nxt	(x <enum> => <enum>)</enum></enum>
returns enui	n pointing to next element in enum x.
now	(x <enum> => <any>)</any></enum>
returns curr	ent element given enum x.
now-setter	(v x <enum>)</enum>
sets current	element given enum $_{\times}$ to $_{\nabla}$.
now-key	(x <enum> => <any>)</any></enum>
returns curr	ent key given enum x.
FOR	(FOR (,for-clause) ,@body)
parallel itera	ation over collections using enumerations.
where	
,for-clause	\equiv (,var ,col) ((tup ,keyvar ,var) ,col)
4	parallel iteration over a collection <code>,col</code> binding successive val- ind optionally keys to <code>,keyvar</code> .

8.3 Packers

<packer>

Packers are the complement of enumerators and are the imperative version of fold. The default packer returns a list of all accumulated values:

```
(packing (for ((e '(1 2 3 4 5)))
           (when (odd? e) (pack e))))
==> (1 3 5)
```

They can also be used for summing values etc:

```
(packing-in (x|<int>)
  (for ((e '(1 2 3 4 5)))
    (when (odd? e) (pack-in x e)))
  (packed x))
 ==> 9
```

packer-add (p|<packer> x => <packer>) returns a copy packer $_{\rm P}$ augmented with element $_{\rm X}.$

 \equiv (PACKING-IN (,name '|' <lst>) ,@body).

(<any>)

packer-res	(p <packer> => <any>)</any></packer>	\mathcal{G}
returns resul	t of packings over p.	
packer	(init add <fun> res <fun>)</fun></fun>	\mathcal{G}
	nple packer that starts its value out with init, is augment I whose final value is computed with res.	nted
packer-fab	(t <type> => <packer>)</packer></type>	\mathcal{G}
returns a nev	v type t specific packer.	
packer-fab	(t (t< <seq>) => <packer>)</packer></seq>	\mathcal{M}
\equiv (packer '	() pair (op as t (rev! _)))	
packer-fab	(t (t= <int>) => <packer>)</packer></int>	\mathcal{M}
\equiv (packer 0	+ (op _))	
PACKING-WITH	(PACKING-WITH ((,var ,pack)) ,@body)	S
mechanism fe	or packing objects using given packer into <code>,var</code> .	
PACKING-IN	(PACKING-IN (,name ' ',type) ,@body)	S
∃ (PACKING-	WITH (,name (packer-fab ,type)) ,@body).	
	(PACKING-IN (,name) ,@body)	\mathcal{S}

 \mathcal{S} (PACKING ,@body) PACKING \equiv (PACKING-IN (packer-) ,@body (packed packer-)). \mathcal{S} (PACK-IN ,pack ,x) PACK-IN folds , x into packer in , pack. PACK \mathcal{S} (PACK ,x) \equiv (PACK packer- ,name). PACKED (PACKED , name) \mathcal{S} \equiv (packer-res ,name).

8.4 Maps

Maps represent collections with explicit keys.

<map< th=""><th>></th><th>(<col/>)</th><th>\mathcal{C}</th></map<>	>	(<col/>)	\mathcal{C}		
<tab< td=""><td>></td><td>(<map> <col!>)</col!></map></td><td>\mathcal{C}</td></tab<>	>	(<map> <col!>)</col!></map>	\mathcal{C}		
tł	Tables are near constant-time aggregate data structures. Users can define their own tables by subclassing and overriding the key-test and tab-hash methods.				
tab- fact	growth- .or	(x <tab> => <flo>)</flo></tab>	\mathcal{P}		
fa	ctor by whi	ch to grow capacity.			
	growth- shold	(x <tab> => <flo>)</flo></tab>	\mathcal{P}		
W	when to grow based on proportion of total table capacity.				
	shrink- shold	(x <tab> => <flo>)</flo></tab>	\mathcal{P}		
W	hen to shrir	hk based on proportion of total table capacity.			
tab-	hash	(x <tab> => <fun>)</fun></tab>	\mathcal{G}		
re	eturns hash	function			
id-h	lash	(x <tab> => <int>)</int></tab>	\mathcal{G}		
h	ash functior	n based on identity.			

8.5 Sequences

 \mathcal{C} \mathcal{G}

Sequences are collections with nonnegative integer keys.

<seq></seq>	(<col/>)	\mathcal{C}
<seq.></seq.>	(<seq> <col.>)</col.></seq>	\mathcal{C}
immutable se	equence.	
1st	(x <seq> => <any>)</any></seq>	\mathcal{G}
\equiv (elt x 0)		
2nd	(x <seq> => <any>)</any></seq>	\mathcal{G}
\equiv (elt x 1)		
3rd	(x <seq> => <any>)</any></seq>	\mathcal{G}
\equiv (elt x 2)		
last	(x <seq> => <any>)</any></seq>	\mathcal{G}
\equiv (elt x (-	(len x) 1))	
pos	(x <seq> v <any> => (t? <int>))</int></any></seq>	\mathcal{G}
finds position	n of $_{\nabla}$ in $_{\times}$ else returns false.	
finds	(x <seq> y <seq> => (t? <int>))</int></seq></seq>	\mathcal{G}
finds position	n of $_{\rm Y}$ in $_{\rm X}$ else returns false.	
add	(x <seq> y <any> => <seq>)</seq></any></seq>	\mathcal{M}

returns sequ	hence with $_{\rm Y}$ added to the end of $_{\rm X}$.		returns coll	lection with $_{\rm Y}$ added to the front of $_{\rm x}$.
push	(x <seq> y <any> => <seq>)</seq></any></seq>	${\cal G}$	pop!	<pre>(x <seq!> => (tup val <any> <seq!>))</seq!></any></seq!></pre>
returns sequ	sence with y added to x .		pops elemen	nt from front of sequence.
pop	(x <seq> => (tup <any> <seq>))</seq></any></seq>	${\cal G}$	PUSHF	(PUSHF ,place ,val)
returns last moved from	pushed element of ${\bf x}$ and new sequence with that element ${\bf r}_{{\bf x}}$.	е-		a onto the sequence stored in <code>,place</code> , updates <code>,place</code> to contunence, and returns the new sequence.
rev	(x <seq> => <seq>)</seq></seq>	${\cal G}$	POPF	(POPF ,place)
returns reve	rsed sequence.			e from the sequence stored in ,place, replaces the sequence w sequence, and returns the value.
cat	(x <seq> more => <seq>)</seq></seq>	${\cal G}$	ins!	(x <seq!> v <any> i <int> => <seq!>)</seq!></int></any></seq!>
returns cone	catenated sequences.		inserts v be	
sub	(x <seq> from <int> below <int> => <seq>)</seq></int></int></seq>	${\cal G}$	sub-setter	(dst <seq!> src <seq> from <int> below <int>)</int></int></seq></seq!>
subsequence	e of x between from and below.			bsequence in range between from and below of dst with conte
ins	(x <seq> val i <int> => <seq>)</seq></int></seq>	${\cal G}$	of src. Pro	vides insertion, deletion, and replacement operations rolled i
returns copy	y of x's with val inserted before i.		one.	
del-dups	(x <seq> => <seq>)</seq></seq>	${\mathcal G}$	del-vals!	(x <seq!> v <any> => <seq!>)</seq!></any></seq!>
returns sequ	ence with all duplicates removed.			
del-vals	(s <seq> val => <seq>)</seq></seq>	${\cal G}$	del-dups!	(x <seq!> => <seq!>)</seq!></seq!>
returns sequ	nence with all copies of val removed.			duplicates from x.
sort-by	(s <seq> f <fun> => <seq>)</seq></fun></seq>	\mathcal{G}	sort-by!	(s <seq> f <fun> => <seq>)</seq></fun></seq>
returns a so	rted copy of s using £ as a comparator.		destructive	ly sorts = using ± as a comparator.
sort	(s <seq> => <seq>)</seq></seq>	G	sort!	(s <seq> => <seq>)</seq></seq>
≡ (sort-by	s <)		≡ (sort-by	(! s <)
pick	(f <fun> x <seq> => <seq>)</seq></seq></fun>	\mathcal{G}		
	v sequence with elements corresponding to non-false resul g predicate £.		8.5.2 Lists	
prefix?	(x <seq> prefix <seq> => <log>)</log></seq></seq>			ays "proper" lists, that is, the tail of a list is alway ght be deprecated in future releases of \mathcal{GOO} .
returns true	iff sequence x starts with sequence prefix.		<lst></lst>	(<seq!>)</seq!>
suffix?	(x <seq> suffix <seq> => <log>)</log></seq></seq>	${\cal G}$	<list></list>	<lst></lst>
returns true	e iff sequence x ends with sequence suffix.		head	(x <lst> => <any>)</any></lst>
repeat	(x <seq> n <int> => <seq>)</seq></int></seq>	${\cal G}$	tail	(x <lst> => <lst>)</lst></lst>
returns sequ	lence with n concatenated copies of x.		lst	(elts => <lst>)</lst>
split	(x <seq> sep => <seq>)</seq></seq>	${\cal G}$	returns list	of arguments.
returns sequ	tence of subsequences of x separated by sep.		list	lst
join	(xs <seq> sep <seq> => <seq>)</seq></seq></seq>	${\cal G}$	nil	<lst></lst>
returns sequ	tence composed of sequences in xs joined with sep .		<i>aka</i> ().	
			pair	(x <any> y <lst> => <lst>)</lst></lst></any>

8.5.1 Mutable Sequences

<seq!></seq!>	(<seq> <col!>)</col!></seq>
rev!	(x <seq!> => <seq!>)</seq!></seq!>
returns des	tructively reversed sequence.
cat!	(x <seq!> more => <seq!>)</seq!></seq!>
returns des	tructively concatenated sequences.
add!	(x <seq!> y <any> => <seq!>)</seq!></any></seq!>
returns col	lection with y added to the end of x.
push!	(x <seq!> y <any> => <seq!>)</seq!></any></seq!>

8.5.3 Zips

A zip is a sequence of tuples of successive elements of sequences. A zip has the length of its shortest constituent sequence.

returns new list with ${\tt x}$ as head and ${\tt y}$ as tail.

<z< th=""><th>ip></th><th>(<seq.>)</seq.></th><th>\mathcal{C}</th></z<>	ip>	(<seq.>)</seq.>	\mathcal{C}
zi	р	(cs (<seq>) => <zip>)</zip></seq>	\mathcal{G}
	returns a zip	over sequences cs.	
un	zip	(z <zip> => <tup>)</tup></zip>	\mathcal{G}
	returns a tup	ole of z's constituent sequences.	

8.5.4 Flat Sequences

Flats represents sequences with constant access time. Flat enum provides an enum implementation of all but now and now-setter.

<flat></flat>	(<seq>)</seq>	\mathcal{C}	
<flat-enum></flat-enum>	(<enum>)</enum>	\mathcal{C}	
<tup></tup>	(<flat> <seq.>)</seq.></flat>	\mathcal{C}	
Tuples are immutable flat sequences and represents multiple values in \mathcal{GOO} .			
tup	(elts => <tup>)</tup>	\mathcal{G}	
creates a tuple with elements being elts.			
<vec></vec>	(<flat> <seq!>)</seq!></flat>	С	
Stretchy vect	Stretchy vectors resize when needed.		
vec	(elts => <sec>)</sec>	\mathcal{G}	
returns new	vector with elements elts.		

Strings

GOO currently implements ASCII strings.

<str></str>	(<flat> <mag> <seq.>)</seq.></mag></flat>	\mathcal{C}
str	(elts => <str>)</str>	\mathcal{G}
returns new	string with elements elts.	
case- insensitive- string-hash	<pre>(x <tab> => (tup hash <any> gc-state <any>))</any></any></tab></pre>	G
case- insensitive- string-equal	(x <str> y <str> => <log>)</log></str></str>	G

8.6 Lazy Series'

Represents an immutable sequence of numbers specified using a start number from, a step amount by, and an inclusive bound to.

<range></range>	(<seq.>)</seq.>	\mathcal{C}	
range-by	<pre>(from <num> test <fun> lim <num> by <fun> => <range>)</range></fun></num></fun></num></pre>	G	
returns a range starting from, updated with by, and continuing until (test x lim) is false.			
range	(from <num> test <fun> lim <fun> => <range>)</range></fun></fun></num>	\mathcal{G}	
\equiv (range-by	<pre>from test lim (op + - 1))</pre>		
from	(from <num> => <range>)</range></num>	\mathcal{G}	
\equiv (range fr	om (always #t) 0)		
below	(lim <num> => <range>)</range></num>	\mathcal{G}	
\equiv (range 0 \cdot	< lim)		
<step></step>	(<seq.>)</seq.>	\mathcal{C}	
Steps represe	nt step functions.		
first-then	(first <fun> then <fun> => <step>)</step></fun></fun>	\mathcal{G}	
	v step object, calling thunks first to retrieve initial value we subsequent values.	and	
each	(f <fun> => <each>)</each></fun>	\mathcal{G}	
returns a nev	v each object, calling ± thunk to retrieve each value.		

<cycle> (<seq.>) C Cycles provide a mechanism to create infinite sequences repeating a certain sequence over and over again. cycle (x|... => <cycle>) G returns a cycles that repeats elements of x.

9 Symbols

Symbols are uniquified (aka interned) strings.

< 5	sym>	(<any>)</any>	\mathcal{C}	
<\$	sym-tab>	(<tab>)</tab>	\mathcal{C}	
	symbol table class.			
as	3	(_ (t= <sym>) x <str> => <sym>)</sym></str></sym>	\mathcal{M}	
	coerces a stri	ng to a symbol.		
Ca	at-sym	(elts => <sym>)</sym>	\mathcal{G}	
	returns a symbol formed by concatenating the string representations of elts.			
ge	ensym	(=> <sym>)</sym>	\mathcal{G}	
	returns a system specific unique symbol.			
	ab-setter- ame	(x <sym> => <sym>)</sym></sym>	\mathcal{G}	
	\equiv (as <sym></sym>	(cat (as <str> x) "-setter")).</str>		

10 Conditions

Conditions are objects representing exceptional situations. \mathcal{GOO} provides restartable conditions as well as the more traditional stack unwinding conditions. A condition is an object used to provide information to a handler. A handler is an object with a handler function used to take care of conditions of a particular type. Signalling is a mechanism for finding the most appropriate handler for a given condition. See DRM [4] for more information.

<condition></condition>	(<any>)</any>	\mathcal{C}
default- handler	<pre>(x <condition> => <fun>)</fun></condition></pre>	\mathcal{G}
called if no a	ppropriate handler is in force.	
default- handler- description	(c <condition> => <str>)</str></condition>	G
return a strii	ng describing an anonymous handler for this type of cond	ition.
build- condition- interactively	(type < condition> in out => < condition>)	G
to fill in any	ondition of the specified type and interactively prompt the important props. Called by the debugger. Methods shoul to build the condition, then set the props for their own cl	d call
sig	(x <condition> args)</condition>	\mathcal{G}
signals a con	dition with optional arguments args.	
<simple- condition></simple- 	(<condition>)</condition>	C
a condition c	onsisting of a mag message and arguments.	
condition- message	(x <simple-condition> => <str>)</str></simple-condition>	\mathcal{P}
returns msg s	tring.	
condition- arguments	(x <simple-condition> => <lst>)</lst></simple-condition>	\mathcal{P}

<i>returns</i> msg <i>s</i>	tring arguments.
<pre><serious- condition=""></serious-></pre>	(<condition>)</condition>
	hat can not be safely ignored.
<pre> <error></error></pre>	(<serious-condition>)</serious-condition>
	hat indicates something is invalid about the program.
error	(x <any> args)</any>
signals an er	
error	(x <str> args)</str>
signals a sim	· · · · · · · · · · · · · · · · · · ·
<pre><simple- error=""></simple-></pre>	(<error> <simple-condition>)</simple-condition></error>
an error that	consists of a msg message and arguments.
<restart></restart>	(<condition>)</condition>
used for resta	arting a computation.
<handler></handler>	(<any>) C</any>
object used fo	or handling a signaled condition.
handler- function	$(x $ <handler> => <fun>) \mathcal{G}</fun></handler>
fab-handler	(x <fun> => <handler>)</handler></fun>
creates a han	dler from a handler function.
handler- matches?	$(x $ <handler> y <condition> => <log>) \mathcal{G}</log></condition></handler>
protocol for a	letermining whether a handler handles a particular condition.
TRY	(TRY ,try-options ,handler ,@body)
using the ins ther be the na zero or more • (TYPE handle. • (TEST and #f so it sh • (DESCR tion of The handler func- to be called it the signaling the condition sig call usin (3) it can do just falling t and let ham	<pre>dler as a condition handler for the duration of (SEQ ,@body), structions provided by ,try-options. ,try-options should ei- ume of the condition type to handle, or a ,try-option-list with of the following options: .expr) => An expression returning the type of condition to .@body) => Code which returns #t if the condition is applicable, otherwise. This may be called at arbitrary times by the runtime, ouldn't do anything too alarming. LPTION ,message ,@arguments) => A human-readable descrip- this handler. Used by the debugger. function should take two arguments: the ,condition to be han- resume function. if a matching condition is signaled then the tion is called with the signaled condition and a resume function if the handler wants to return a value to be used as the result of if sig call. the handler has three possibilities: (1) it can handle by taking an exit using ESC, (2) it can resume to the original g the resume function called with the value to be returned, or neither, that is, it can choose not to handle the condition by hrough to the end of the handler (cf., Dylan's BLOCK/EXCEPTION NLER) and the next available handler will be invoked. Note that mot unwind the stack before calling handlers!</pre>
where	
handler	\equiv (fun (, condition , resume) ,@body) \mathcal{L}
,try-options	\equiv ,condition-type-name \mid ,try-option-list $\mathcal L$

11.1 Ports

Ports represe	nt character-oriented input/output devices.	
<port></port>	(<seq>)</seq>	\mathcal{C}
open	(t (t< <port>) x <str> => <port>)</port></str></port>	\mathcal{G}
creates port	given port specific spec ×.	
close	(x <port>)</port>	\mathcal{G}
closes and c	leanups port.	
	(x <port>)</port>	\mathcal{M}
noop defaul	t.	
WITH-PORT	(WITH-PORT (,name ,port) ,@body)	\mathcal{S}
binds , name finally ensu	to the value of , port during the evaluation of (seq , @body res that the port is closed at the end of evaluation.) and
eof-object?	(x <chr> => <log>)</log></chr>	\mathcal{G}
<in-port></in-port>	(<port>)</port>	\mathcal{C}
input port.		
in	<in-port></in-port>	\mathcal{I}
standard in	put.	
get	(x <in-port> => <chr>)</chr></in-port>	\mathcal{G}
returns nex	t available character or eof-object.	
gets	(x <in-port> => <str>)</str></in-port>	\mathcal{G}
returns a lin	ne until either reading a newline or eof-object.	
peek	(x <in-port> => <chr>)</chr></in-port>	\mathcal{G}
returns nex object.	t available character if any without advancing pointer of	r eof-
ready?	(x <in-port> => <log>)</log></in-port>	\mathcal{G}
returns true	e iff a character is available.	
<out-port></out-port>	(<port>)</port>	\mathcal{C}
output port.		
out	<out-port></out-port>	\mathcal{I}
standard ou	tput.	
force-out	(x <out-port>)</out-port>	\mathcal{G}
ensures that	buffers are forced and pending output is completed.	
put	(x <out-port> e <chr>)</chr></out-port>	G
outputs a si	ngle character.	
puts	(x <out-port> e <str>)</str></out-port>	\mathcal{G}
outputs stri	ng.	
newline	(x <out-port>)</out-port>	\mathcal{G}
outputs a n	ewline sequence.	
say	(x <out-port> args)</out-port>	\mathcal{G}
≡ (do (op :	say x _) args)	

Ports represent character-oriented input/output devices

11.1.1 File Ports

File ports are ports which map to files.

<file-port></file-port>	(<port>)</port>		С
close	(x <file-port>)</file-port>	Л	И

11 Input / Output

,try-option-list

,try-option

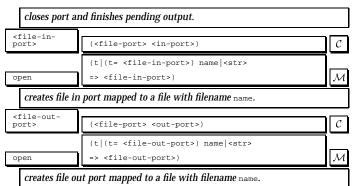
This is a very preliminary I/O system and is mostly just enough with which to write a compiler.

 \equiv (,option-name ,@option-value)

 \equiv (,try-option*)

 \mathcal{L}

 \mathcal{L}



11.1.2 String Ports

String ports provide port interface mapped onto strings.

<str-port></str-port>	(<any>)</any>
port- contents	(x <str-port> => <str>)</str></str-port>
returns und	erlying string.
<str-in- port></str-in- 	(<str-port> <out-port>)</out-port></str-port>
	(t (t= <str-in-port>) dat <str></str></str-in-port>
open	=> <str-in-port>)</str-in-port>
creates strin	g in port mapped to string dat.
port-index	(x <str-port> => <int>)</int></str-port>
returns inde	x from which next character will be read.
<pre> <str-out- port=""></str-out-></pre>	(<str-port> <in-port>)</in-port></str-port>
	<pre>(t (t= <str-out-port>) dat <str></str></str-out-port></pre>
open	
	(t (t= <str-out-port>) dat <str></str></str-out-port>
	(t (t= <str-out-port>) dat <str> => <str-out-port>)</str-out-port></str></str-out-port>

11.2 Formatted I/O

GOO provides convenient s-expression reading/writing facilities.

read	(x <in-port> => <any>)</any></in-port>			
returns sexpr result of parsing characters in a sequence.				
write	(x <out-port> y <any>)</any></out-port>			
verbose print	verbose printing. prints strings with double quotes etc.			
writeln	(x <out-port> y <any>)</any></out-port>			
\equiv (seq (wri	te x y) (newline x))			
emit	(x <out-port> y <any>)</any></out-port>			
concise print	concise printing (e.g., prints strings without double quotes).			
msg	(x <out-port> message <seq> args)</seq></out-port>			
commands an	<pre>tput using special commands embedded in message. supporter re: (write x arg) (display x arg) (write x arg) (write-char x #\%) me one argument at a time. otherwise subsequent messag e printed to port x (cf. Dylan's and CL's format).</pre>			

post (message|<seq> args|...)

 \equiv (app msg out message args)

12 System

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This is a very rudimentary portable interface to an underlying operating system.

G

app-filename	(=> <str>)</str>
returns the f	lename of the application.
app-args	(=> <lst>)</lst>
returns a list	t of argument strings with which the application was called.
os-name	(=> <str>)</str>
returns nam	e of current operating-system.
os-val	(s <str> => <str>)</str></str>
returns OS e	environment variable value.
os-val- setter	(v <str> s <str> => <str>)</str></str></str>
sets OS envi	ronment variable value.
process-id	(=> <int>)</int>
returns the p	process id of the current \mathcal{GOO} process.

12.1 Files and Directories

A preliminary set of file and directory facilities are provided.

file-mtime (filename <str> => <flo>)</flo></str>
return the last modification time of a file in seconds (relative to the \mathcal{GOO} epoch) as a floating point number.
file-exists? (filename <str> => <log>)</log></str>
return true if and only if a file (or a directory, etc.) exists with the given name.
file-type (filename <str> => <sym>)</sym></str>
return 'file, 'directory or some other symbol, depending on the type of the file.
create- directory (filename <str> => <sym>)</sym></str>
create a directory with the given name. The parent directory must already exist, and must contain no item with the given name.
parent- directory (name <str> => <str>)</str></str>
find the parent directory of the current filename.
probe- directory (name <str> => <str>)</str></str>
make sure that the named directory exists.

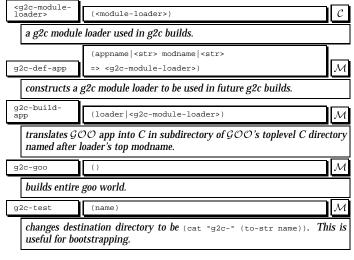
12.2 Pathnames

Pathnames allow you to work with hierarchical, structured pathnames in a reasonably portable fashion.

pathname-to- components	(pathname <str> => <lst>)</lst></str>	load	(filename <str> modname <sym> => <any>)</any></sym></str>	${\mathcal G}$
given a path special value	name, split it into a list of individual directories, etc. Three s are returned as symbols:	returns the into modul	result of evaluating the result of reading file named fil gmodname.	ename
● root →	This path starts in the root directory	eval	(x <any> modname <sym> => <any>)</any></sym></any>	\mathcal{G}
	Go up a directory $t \rightarrow Remain in the current directory$	return's res	ult of evaluating ×.	
Volume labe	ls, drive letters, and other non-path information should be ingle tagged list at the head. Note that the hierarchical por-	top	(modname <sym>)</sym>	\mathcal{G}
tion of this p times.	bathname (everything but the label) must be non-empty at all	runs top-le	vel read-eval-print loop which reads from in and writes to	o out.
components- to-pathname	(components <lst> => <str>)</str></lst>	save-image	(filename <str>)</str>	\mathcal{G}
	pomponents created by the above function.	saves an im	age of the current \mathcal{GOO} process to a file named $\mathtt{filename}.$	
label-				
components	(components <lst> => <lst>)</lst></lst>			
get any leadi	ng directory label.	15 Instal	lation	
hierarchical- components	(components <lst> => <lst>)</lst></lst>		er a linux or windows version of \mathcal{GOO} of either	
get rid of any	y leading directory label, etc.		r binary tarball into an appropriate installation a binary tarball, there are five directories: doc, bi	
components- last	(components <lst> => <any>)</any></lst>		s. You can just run \mathcal{GOO} from the bin subdirector	
return the la	st item in a list of components.		Ta development tarball, you must install it. After e will be five directories: doc, bin, c, src, and emacs.	
components- basename	(components <lst> => <lst>) \mathcal{M}</lst></lst>	the Make.inc fi	le in the top level directory, to configure the ins y root using the PREFIX if /USY is inapproriate. Ex	talla-
handle cases you are even	It the last item of a bunch of components. Do some magic to like 'foo.txt' => './' If you call this function enough times, tually guaranteed to get components list ending in root, up or uires the last item to be a string.	ing make insta lib and mods of doc. For the s installation l	¹¹ will rebuild \mathcal{GOO} with the proper roots, cre directories, and installing \mathcal{GOO} in bin and settir simplest installation, just set GOO_ROOT to your de ocation and type make simple-install. On window	ating ng up esired
parent- directory	$(\text{components} <\texttt{lst}> \Rightarrow <\texttt{lst}>)$		to add goo_BIN to your PATH.	onvi
calculate the	parent directory of a pathname.		ride the default GOO_ROOT by setting up your OS iable. For example, my GOO ROOT on linux is:	
L			ai/jrb/goo. Environment variable setting dependent	

13 Compiler

GOO's compiler, g2c, compiles GOO source code to C. It lives within the eval module. During a given session, g2c recompiles only used modules that are either modified or use modified modules.



Top Level 14

Functions which load code at runtime require a symbol specifying the module name to use.

During start up, \mathcal{GOO} will load two patch files: \${GOO_ROOT}/init.goo \${HOME}/.goo/init.goo

You can customize your \mathcal{GOO} by adding forms to these files.

the shell you're using. In order to run g2c-goo you need to set GOO_BUILD_ROOT to the directory which includes the src directory.

Usage 16

Typing g_{00} at your shell will start up a GOO read-eval-print loop, which accepts sexpressions and top-level commands commencing with a comma. The following is a list of available commands:

,quit K
exits from GOO.
C-c K
invokes a recursive read-eval-print loop.
,g2c-eval K
to change to dynamic compilation evaluation.
,ast-eval ${\cal K}$
to change to ast evaluation.
,in ,name ${\cal K}$
changes to module , name.
mod:name =
accesses an unexported binding from another module.

16.1 Development

To batch compile \mathcal{GOO} to C:

goo/user 0<= (use eval/g2c) goo/user 0=> #f goo/user 0<= (g2c-goo)

To then compile the C:

cd \${GOO_ROOT}/c make

To run the test suites:

goo/user 0<= (use tests)
goo/user 0=> #f
goo/user 0<= (run-all-tests)</pre>

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16.2 Debugger

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A keyboard interrupt or any error enters the user into the debugger which provides a superset of the commands available at toplevel. The following are debugger specific commands:

, up	Γ
goes up one level.	
,top	κ.
goes to top level.	
,restarts	κ.
lists available restarts	
,restart	,n K
chooses available restart.	
,handlers	,n K
shows available handlers.	
,backtrace	κ.
prints out called functions and their arguments.	
,bt	κ.
prints out called functions.	
,frame	,n K
prints out nth called function and its arguments.	
,frame-var	,n ,name ${\cal K}$
prints out nth called function's parameter name.	
frame-var	(n <int> name <sym>)</sym></int>
returns nth called function's parameter name.	
I	

16.3 Emacs Support

A rudimentary emacs-based development system is provided.

16.3.1 Emacs Mode

Put $_{\tt emacs/goo.el}$ in your emacs lisp directory. Add the following to your $_{\tt emacs}$ file:

Useful features include the following. You can add "font-lock" mode by adding (global-font-lock-mode t) to your .emacs: In a given buffer, you can toggle font-lock with M-x font-lock-mode. Finally,

check out the "Index" menu item in a \mathcal{GOO} buffer for other options.

For even more fun, load emacs/goo-font-lock.el for a color coded parenthesis nesting aid².

16.3.2 Emacs Shell

Put emacs/goo-shell.el in your emacs lisp directory. Add the following to your .emacs:

(autoload 'run-goo "goo-shell" "Run an inferior Goo process." t) (setq auto-mode-alist (cons '("\\.goo\\'" . goo-mode) auto-mode-alist)) (setq goo-program-name "/home/ai/jrb/goo/goo")

make sure to set up the goo-program-name to correspond to your installation area.

Useful command / key-bindings are:

M-C-x goo-send-definition C-c C-e goo-send-definition

C-c M-e goo-send-definition-and-go

C-c C-r goo-send-region

C-c M-r goo-send-region-and-go C-c C-z switch-to-goo

Check out goo-shell.el for the complete list of command / keybindings. I doubt the compile commands do anything useful cause there isn't a compiler.

16.3.3 TAGS

K

Emacs TAGS files can be generated by typing make all-tags in the src directory. Useful tags commands / key-bindings are:

M-. find-tag M-, tags-loop-continue tags-search tags-query-replace

17 Caveats

This is the first release of \mathcal{GOO} . \mathcal{GOO} is relatively slow at this point. There are no compiler optimizations in place. The error reporting is minimal and no source locations are tracked. Also hygiene is not implemented and there are some potential hygiene leaks. Dynamic compilation and image saving work only on Linux.

This manual is preliminary. Please consult the runtime libraries in the src directory. Also check out Scheme and Dylan's manuals for information on their lexical structure and special form behavior respectively.

Please, please, please send bug reports to <code>jrb@googoogaga.org</code>. I will fix your bugs asap. The \mathcal{GOO} website <code>www.googoogaga.org</code> will have papers, releases, FAQS, etc.

18 Future

The plan is for \mathcal{GOO} to evolve in a number of dimensions. First of all, \mathcal{GOO} 's design is incomplete. Parameter lists and dispatch will be improved to allow methods of differing numbers of required parameters and named parameters. Lisp lists will most likely be deprecated and program fragments will be represented by a richer data structure which can capture source locations and hygiene information. This will be accomplished with minimal impact on macro definitions and WYSIWYG program construction and destructuring facilities. The module system will be improved

²The original idea was dreamed up and first implemented by Andrew Sutherland and then improved by James Knight.

to include in the very least renaming and selective imports. Finally, \mathcal{GOO} will support a more complete loopless programming protocol inspired by Waters' series [5].

Secondly, the overall mission is to crank the implementation until its performance is competitive with Java while at the same time maintaining low-latency interactivity. The basic approach involves incremental whole program optimization using simple dynamic compilation combined with partial evaluation. One important optimization will be side effect analysis combined with a generalized box/unbox optimization to remove unnecessary creation of immutable enumerators and packers for instance. Similar analyses and optimizations will be employed to optimize loopless programming patterns involving map and fold.

19 History and Acknowledgements

GOO has greatly benefitted from the help of others. During the winter of 2001, I briefly discussed the early design of Proto, a Prototype-based precursor to \mathcal{GOO} , with Paul Graham and his feedback was very useful. From there, I bootstrapped the first version of Proto for a seminar, called Advanced Topics in Dynamic Object-Oriented Language Design and Compilation (6.894), that I cotaught with Greg Sullivan and Kostas Arkoudas. The 6.894 students were very patient and gave me many helpful suggestions that greatly improved Proto. During and after the seminar, Greg Sullivan reviewed many ideas and helped tremendously, including by writing the Emacs goo-mode. James Knight was one of the 6.894 students and became my MEng student after the course. He has helped in many many ways including the writing of the save-image facility, the speeding up of the runtime, and the improving of the non local exit facility. Eric Kidd worked with me during the summer of 2001 implementing the module system, restarts, and the dependency tracking system. During that summer I decided that a Prototype-based object system was inadequate for the type system I was interested in supporting and changed over to the present type-based system. I presented my ideas on Proto at LL1 in the Fall of 2001. Many stimulating conversations on the follow on LL1 discussion list inpired me. In fact, during the course of defending Proto's form of object-orientation on that list I came up with its current name, \mathcal{GOO} , and it stuck. And rew Sutherland became my MEng student in the winter of 2002, wrote a \mathcal{GOO} SWIG [2] backend, and has provided useful feedback on \mathcal{GOO} 's design. I also wish to thank Boehm, Demers, and Weiser for writing the conservative GC upon which this initial version of \mathcal{GOO} is based. Finally, I would like to thank Keith Playford for his continued guidance in language design and implementation and for his ever present and rare sense of good taste.

References

- [1] Kim Barrett, Bob Cassels, Paul Haahr, David A. Moon, Keith Playford, Andrew L. M. Shalit, and P. Tucker Withington. A monotonic superclass linearization for Dylan. In Proceedings of the Conference on Object-Oriented Programming Systems, Languages, and Applications, volume 31, 10 of ACM SIGPLAN Notices, pages 69–82, New York, October 6–10 1996. ACM Press.
- [2] David M. Beazley. SWIG: An easy to use tool for integrating scripting languages with C and C++. In *Proceedings of the 4th* USENIX Tcl/Tk Workshop, pages 129–139, 1996.
- [3] R. Kelsey, W. Clinger, and J. Rees. Revised⁵ report on the al-

gorithmic language scheme. *Higher-Order and Symbolic Computation*, 11(1):7–105, 1998.

- [4] A. Shalit. The Dylan Reference Manual. Addison Wesley, 1996.
- [5] Richard C. Waters. Automatic transformation of series expressions into loops. ACM Transactions on Programming Languages and Systems, 13(1):52–98, January 1991.

A Class Precedence List

This section defines the algorithm for computing a class's linearized ancesters from its parents, its parent's parents, etc. \mathcal{GOO} uses the C3 class linearization rule [1]. The following is the \mathcal{GOO} implementation of this algorithm:

```
(dm class-ordered-ancestors (c|<class> => <lst>)
  (def parents (class-parents c))
  (rep merge-lists
      ((partial-cpl|<lst>
         (lst c))
       (remaining-lists|<lst>
         (add (map class-ancestors parents) parents)))
    (if (all? empty? remaining-lists)
        (rev! partial-cpl)
        (loc ((candidate (c)
                (loc ((tail? (1 < lst>) (mem? (tail 1) c)))
              (and (not (any? tail? remaining-lists)) c)))
(candidate-at-head (1|<lst>)
                (and (not (empty? 1)) (candidate (head 1)))))
          (def next (any? candidate-at-head remaining-lists))
          (if next
              (loc ((del-next (1|<lst>)
                      (if (== (head 1) next) (tail 1) 1)))
                (merge-lists
                  (pair next partial-cpl)
                  (map del-next remaining-lists)))
              (error "inconsistent precedence graph"))))))
```

B Subtyping Rules

This section defines the subtyping rules for \mathcal{GOO} in terms of subtype methods.

```
(dm subtype? (t1 <union> t2 <type> => <log>)
(all? (op subtype? _ t2) (type-elts t1)))
(dm subtype? (t1|<type> t2|<union> => <log>)
(any? (op subtype? t1 _)) (type-elts t2)))
(dm subtype? (t1|<union> t2|<union> => <log>
                                           <log>)
  (all? (op subtype? _ t2)) (type-elts t1)))
(dm subtype? (t1 <class> t2 <class> => <log>)
  (subclass? t1 t2))
(dm subtype? (t1|<singleton> t2|<class> => <log>)
(isa? (type-object t1) t2))
(dm subtype? (t1 <subclass> t2 <class> => <log>)
  (subclass? <class> t2))
(dm subtype? (t1 <class> t2 <singleton> => <log>) #f)
(dm subtype? (t1 < singleton> t2 < singleton> => < log>)
  (== (type-object t1) t2))
(dm subtype? (t1|<subclass> t2|<singleton> => <log>) #f)
(dm subtype? (t1 <class> t2 <subclass> => <log>)
  (and (== t1 <class>) (== (type-class t2) <class>)))
(dm subtype? (t1|<subclass> t2|<subclass> => <log>)
  (subclass? (type-class t1) (type-class t2)))
(dm subtype? (t1|<singleton> t2|<subclass> => <log>)
  (and (isa? (type-object t1) <class>)
       (subclass? (type-object t1) (type-class t2))))
(dm subtype? (t1 <product> t2 <type> => <log>) #f)
(dm subtype? (t1 <type> t2 <product> => <log>) #f)
(dm subtype? (t1 <product> t2 <product> => <log>)
  (and (== (len (type-elts t1)) (len (type-elts t2)))
       (all? (zipped subtype?) (zip (type-elts t1) (type-elts t2)))))
```

```
(dm subtype? (t1|<product> t2|<class> => <log>)
  (subtype? <tup> t2))
```