Sawmill: From Logs to Causal Diagnosis of Large Systems

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Causal Analysis on Logs Faces 3 Key Challenges

20:24:44 INFO u0 q34 Running CREATE INDEX midx ON metrics (id); 20:32:25 INFO u0 q35 Running SELECT * FROM metrics WHERE id=562; 20:32:26 INFO u0 q35 Ran in 607.31ms 20:32:28 INFO u0 q36 Running SELECT * FROM metrics WHERE id=555; 20:33:28 INFO u0 q36 Query timed out

User	M: Free	I:Index	L:Latency	D: Data	T: Timeouts				
	Memory	Presence	Mean (ms)	Size (GB)	per day				
U_0	67.80 %	1	637.02	64.41	56852				
U_1	80.96 %	0	372.60	38.07	29164				
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Causal Analysis Can Help System Understanding

- Failures are a daily phenomenon when operating large complex systems.
- Diagnosing system problems quickly and correctly is crucial for operators.
- Causal reasoning [1] has helped scientists across domains pose, discuss and test hypotheses.

Applying Causality to Log Data is Challenging

- Pearl's framework [1] requires tabular data and a causal graph for the problem.
- However, operators often only have access to textual logs.
- Three key challenges:
 - Challenge A Deriving the Schema: Logs can be parsed, but this can lead to hundreds of unlabeled variables that are hard for a human to manually label.
 - Challenge B Distilling the Data: Logs contain a lot of fine-grained data. What is the best
 way to summarize it along the units the user cares about (e.g. machines)?
 - Challenge C Obtaining the Causal Graph: The scale and dependencies in log data make automatic causal discovery [2,3] challenging. Can we tap the user's expertise intelligently?



Sawmill Provides Solutions for Each Challenge

Challenge B: Aggregate Data to Maximize Entropy

- Log information can be too granular for meaningful analysis.
- Users can define **causal units** over which to aggregate log information, depending on the context (e.g. machines, users etc.).
- The best aggregate to pick for each variable can be unclear a priori.
- We pick the aggregate that maximizes empirical entropy between the causal units, in order to maximize downstream usefulness.



Challenge C: Leverage Exploration-based Causal Discovery

- Algorithmic causal discovery faces challenges due to dependencies.
- Hand-crafting a full causal model is also daunting, but only part of it is needed.
 - Use a human in the loop:
 - User provides a variable of interest.
 - Sawmill suggests candidate causes.
 - User evaluates them and revises graph.
 - The process repeats while increasing the exploration score.

With a Handful of User Interactions, Sawmill Uncovers Highly Accurate Effects

	Dataset			True	Sawmil	l Regr	ession	AskGPT			Dataset					Sawmi	ll Re	gress	ion	Ask	GPT	
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			R=10	849.08	335.59	15.09	1199.7	6 19.08													1	
	Mean			260.30	82.00	4.53	346.0	2 4 30														
	D			200.30	02.09	4.33	540.9	4.50														
	Breakdown (%)		75.03%	23.66%	1.30%																

Battling Confounding in Real-World Logs

- Collect logs from PostgreSQL running TPC-DS.
- Vary performance-affecting parameters and bias parameter combinations to trade off work_mem and max_parallel_workers.
- Ignoring bias makes mean latency increase for more parallelism.

Discerning Subtle Semi-Synthetic Effects

- Start with **real logs from a mobile application** and generate similar logs for 1000 users. Label a varying fraction of them (1% to 50%) as **faulty.**
- Have faulty users artificially be on a different OS version and have them fail HTTP requests at varying rates (20% to 100% of the time).
- Have non-faulty users fail HTTP requests 10% of the time.

Overcoming Noisiness in Synthetic Logs

- Generate synthetic logs for each of 1000 "machines" with a varying number of variables (V in 10-1000).
- Have most of the variables take a random value between 0-100.
- Set special variables x,y,z such that **z confounds the effect of x on y.**
- Add Gaussian noise to x and y, with a varying standard deviation (1-10).

[1] Judea Pearl. 2009. Causality: Models, Reasoning and Inference. Cambridge University Press.

[2] Clark Glymour, Kun Zhang, and Peter Spirtes. 2019. Review of causal discovery methods based on graphical models. Frontiers in genetics 10 (2019), 524

[3] Peter Spirtes, Clark N Glymour, and Richard Scheines. 2000. Causation, prediction, and search. MIT press

[4] Pinjia He, Jieming Zhu, Zibin Zheng, and Michael R. Lyu. 2017. Drain: An Online Log Parsing Approach with Fixed Depth Tree. In 2017 IEEE International Conference on Web Services (ICWS). 33–40. https://doi.org/10.1109/ICWS.2017.13

[5] OpenAl. 2023. GPT-4 Technical Report. arXiv:2303.08774 [cs.CL]