Information Theoretic Question Asking to Improve Spatial Semantic Representations

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Collaborators



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Robots as Our Partners



Now: People Accommodate Robots



Courtesy: Kinova Robotics





Where We Need to Be



Natural Language Understanding for Robots

- Knowledge-based map to formal logic [1-4]
 - Exploit structure of language
 - Fixed action space
 - Limited learning



- Statistical-based "Symbol Grounding"
 - Parse language into formal action specifications [6-8]
 - Ground language in physical referents (objects, places, paths, events) [9]
 - Parser and groundings are learned

[1] Winograd 1971	[4] Dzifcak et al., 2009	[7] Chen et al., 2011
[2] MacMahon et al., 2006	[6] Matuszek et al., 2010	[8] Matuszek et al., 2012
[3] Kress-Gazit et al., 2008	[5] Shimizu & Hass, 2009	[9] Tellex et al., 2011



NLU as Probabilistic Inference







I. Introduction

II. Learning Semantic Maps from Natural Language Dialogue

III. Following Directions Without in Unknown Environments

IV. Future Directions & Conclusions



Rich Cognitive Models of Space

- Formulate human-centric models of the environment
- Models should express:
 - Regional decomposition of space
 - Metric pose (relative or absolute)
 - Connectivity
 - Regions' (room) types
 - Regions' colloquial names
- Models often constructed by hand







State-of-the-Art in Semantic Mapping

- Spatial Semantic Hierarchy [1]
- Augment SLAM map with topological and semantic layers
 - Incorporate scene classification and object detection [2,3]
 - Information flows up from the metric layer, not down





Limitations of Semantic Mapping Algorithms



- Rely upon pre-trained classifiers
- Limit generalizability beyond trained envs.
- Restrict to robot's immediate surround
- Require that robot visits each region
- Unable to infer certain properties:
 - Colloquial names
 - Unique objects



Building Semantic Maps with Natural Language

- People can efficiently convey information through speech
- Learn semantic information from natural language descriptions:
 - Colloquial names
 - Room type
 - Spatial relations
- "Observe" beyond robot's FOV
- Fuse with robot's sensor stream (i.e., hard & soft information)





Building Semantic Maps with Natural Language

- Learn semantic cues and spatial relations from user's descriptions
- Interpret free-form utterances
- Fully integrate linguistic information



[RSS 2013; ICRA 2014; IJRR 2014 (submitted)]



Challenges to Learning from Natural Language

- Language and sensor streams are uncertain
 - Descriptions are ambiguous
 - Sensor data is noisy
- Language and sensor streams are disparate
 - Language conveys abstract concepts
 - Sensors provide metric observations
- Mapping requires fusing this information





Model: Posterior over Semantic Graphs





Factoring the Posterior over Semantic Graphs

 $p(G_t, X_t, L_t | z^t, u^t, \lambda^t) = p(L_t | X_t, G_t, z^t, u^t, \lambda^t) \ p(X_t | G_t, z^t, u^t, \lambda^t) \ p(G_t | z^t, u^t, \lambda^t)$





Model: Posterior over Semantic Graphs

$$p(G_t, X_t, L_t | z^t, u^t, \lambda^t) = \begin{bmatrix} p(L_t | X_t, G_t, z^t, u^t, \lambda^t) & p(X_t | G_t, z^t, u^t, \lambda^t) & p(G_t | z^t, u^t, \lambda^t) \\ & \text{Gaussian} & \text{Gaussian} \\ & \text{(information form)} & \text{Sample-based} \\ & \text{representation} \end{bmatrix}$$





Model: Posterior over Semantic Graphs

 $p(G_t, X_t, L_t | z^t, u^t, \lambda^t) = p(L_t | X_t, G_t, z^t, u^t, \lambda^t) \ p(X_t | G_t, z^t, u^t, \lambda^t) \ p(G_t | z^t, u^t, \lambda^t)$

$$\mathcal{P}_t = \left\{ P_t^{(1)}, P_t^{(2)}, \dots, P_t^{(n)} \right\}$$



Rao-Blackwellized Particle Filter

Input: $\mathcal{P}_{t-1} = \left\{ P_{t-1}^{(1)}, P_{t-1}^{(2)}, \dots, P_{t-1}^{(n)} \right\}$ where $P_{t-1}^{(i)} = \left\{ G_{t-1}^{(i)}, X_{t-1}^{(i)}, L_{t-1}^{(i)}, w_{t-1}^{(i)} \right\}$

for each particle i

- I) **Proposal**: Modify the topology based on metric and semantic maps
- 2) Update: Perform Bayesian update of Gaussian
- 3) Update: Update Dirichlet over labels based on language
- 4) Reweight: Update weights based on metric observations

Return: $\mathcal{P}_t = \left\{ P_t^{(1)}, P_t^{(2)}, \dots, P_t^{(n)} \right\}$ where $P_t^{(i)} = \left\{ G_t^{(i)}, X_t^{(i)}, L_t^{(i)}, w_t^{(i)} \right\}$



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Proposal Distribution: Graph Augmentation



Propose two types of edges expressing collocation:

- Spatial-based edges
- Semantic-based edges



Proposal Distribution: Semantic Map-based Edges



Edges to current node $p_s(G_t|G_t^-, z^{t-1}, u^t, \lambda^t) = \prod_{j:e_{tj} \notin E^-}^{\bullet} p(G_t^{tj}|G_t^-, \lambda_t) \quad \text{Assume edges are independent}$

$$\approx \prod_{j:e_{tj}\notin E^{-}}\sum_{l_{t}^{-},l_{j}^{-}}p(G_{t}^{tj}|l_{t}^{-},l_{j}^{-},G_{t}^{-})p(l_{t}^{-},l_{j}^{-}|G_{t}^{-})$$

$$\bigvee_{\text{Labels for node pair}}$$

Cosine similarity



Rao-Blackwellized Particle Filter

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Gaussian Update

$$p(X_t | G_t, z^t, u^t, \lambda^t) = \mathcal{N}^{-1}(X_t; \Sigma_t^{-1}, \eta_t)$$



 $x_1 x_2 x_3 x_4 x_5$





Rao-Blackwellized Particle Filter

Input: $\mathcal{P}_{t-1} = \left\{ P_{t-1}^{(1)}, P_{t-1}^{(2)}, \dots, P_{t-1}^{(n)} \right\}$ where $P_{t-1}^{(i)} = \left\{ G_{t-1}^{(i)}, X_{t-1}^{(i)}, L_{t-1}^{(i)}, w_{t-1}^{(i)} \right\}$

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Updating the Dirichlet Distribution

"The kitchen is down the hallway"





Updating the Dirichlet Distribution

likelihood that language references region i

$$p(l_{t,i}|\lambda_t, l_{t-1,i}) = \frac{\Gamma(\sum_{1}^{K} \alpha_i^{t-1} + \Delta \alpha)}{\Gamma(\alpha_1^{t-1}) \times \ldots \times \Gamma(\alpha_k^{t-1} + \Delta \alpha) \times \ldots \times \Gamma(\alpha_K)} \prod_{k=1}^{K} l_{t,i,k}^{\alpha_k - 1}$$

Symbol Grounding Problem

Linguistic elements



Correct referents in the robot's world model



The kitchen is down the corridor.

The kitchen is behind you.

Down the hall, you'll find the kitchen past the exit.

The galley is down the corridor to the left.

The Stata kitchen is on the right, past the tall filing cabinet.

The kitchen is through the double doors at the end of the hall.

The Stata Center's kitchen is behind you, just beyond the doors to the elevator lobby.



Grounding Natural Language

"The kitchen is down the hallway"



[AAAI 2011; AI Magazine 2011]



Language Grounding Ambiguity

- Descriptions are often ambiguous
- "The kitchen is down the hallway"
 - Multiple hallways (known & unknown)
 - Multiple regions "down" hallways
- Robot's role is traditionally passive





Resolving Ambiguity Through Dialogue

- Robot can explore to resolve uncertainty
 - Physical exploration
 - Dialogue
- Dialogue: Robot asks questions that disambiguate groundings





Challenges to Dialogue

- Decide whether to ask a question
- Decide which region to ask about
- Deal with partially known environments
- Provide sufficient context to the user
- Model frame-of-reference



Problem Formulation

- Model next state as tuple
 - Previous semantic map
 - Question
 - Answer
- At each time t, robot selects from a set of actions:
 - Follow the user
 - Ask a question
- Define question asking actions a_i for each language utterance
- Answers (states) are uncertain → (Q)MDP



Problem Formulation

• Per-particle state:



- Actions:
 - Follow the user
 - Stay in place
 - Ask a question
- Transition function based on answer likelihood
- Reward reflects information gain and cost



Action Selection

Plan a one-step policy:

particle weight

$$a_t^B = \arg \max_{a_t} \sum_{S_t}^{\text{particle weight}} p(S_t)Q(S_t, a_t)$$

where

$$value = function(information gain) \qquad cost = function(burden)$$

$$\downarrow \qquad \downarrow \qquad \qquad \downarrow$$

$$Q(S_t, a_t) = \sum_{S_{t+1}} \gamma V(S_{t+1}) \times p(S_{t+1}|S_t, a_t) - \mathcal{C}(a_t)$$

$$= \gamma \mathbb{E}(V(S_{t+1})) - \mathcal{C}(a_t)$$



Action Selection

Cost of an action:

$$\mathcal{C}(a_t) = \mathcal{F}(f(a_t))$$

• Value of the next state:

 $V(S_{t+1}) = \mathcal{F}(I(a_t))$

- Time since last question
 Time since last asking about grounding
 Number of questions asked

• Information gain for (question, answer) pair: NLU figure (region) grounding $I(a, z^{a}) = H(\gamma_{f} | \Lambda) - H(\gamma_{f} | \Lambda, a, z^{a})$


Action Selection

Plan a one-step policy:

$$a_t^B = \arg \max_{a_t} \sum_{S_t} p(S_t) Q(S_t, a_t)$$

where

$$Q(S_t, a_t) = \gamma \mathbb{E}(V(S_{t+1})) - \mathcal{C}(a_t)$$

$$\mathbb{E}(V(S_{t+1})) = \sum_{\substack{z_j^a \\ j}} \mathcal{F}(I(a|z_j^a)) \times p(z_j^a|S_t, a)$$

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Choosing Question Structure

- Consider binary (yes/no) questions: $z_j^a \in \{\text{yes, no}\}$
- Questions follow structured template:

<figure> <relation> <landmark> "Is the kitchen in front of me?"

- Two types of landmarks
 - Robot: "Is the kitchen in front of me?"
 - An environment region: "Is the kitchen across from the cafeteria?"
- Context: Choose landmark (and relation) that provides most information
- Assume robot's frame-of-reference



Experiment

- Gave narrated guided-tour of the MIT Stata Center
- Robotic wheelchair equipped with
 - Two LIDARs
 - Three monocular cameras
- User provided 9 descriptions
 - 6 egocentric
 - 3 allocentric
- Robot asked 5 questions





Results

Grounding likelihood with (without) dialogue





Results

Grounding likelihood with (without) dialogue





Results

	Entropy		Accuracy		
Utterance	Without	With	Without	With	No. of
	Questions	Questions	Questions	Questions	Questions
"The lounge is down the hallway"	1.911	0.237	17.3%	90.6%	2
"The elevator lobby is down the hallway"	1.574	0.566	35.8%	70.9%	2
"The lounge is behind you"	0.403	0.095	87.2%	98.4%	1
"The lab is down the hall"	2.041	0.310	14.6%	91.6%	3
"The conference room is down the hallway"	2.061	0.664	6.5%	65.5%	8
"The lounge is in front of us"	1.053	0.107	20.6%	43.8%	2



Stata Center Third Floor Semantic Graph





Multi-Building Semantic Graph





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Language Understanding Without a Map

arg max $p(\gamma_o, \gamma_a, \gamma_r, \gamma_p | S, \Lambda)$ γ_i



Language Conveys Two Types of Information

Go to the hydrant behind the cone





Implicit: Description of the world

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[ISER 2014]



Joint Map & Behavior Inference







Policy learning

Semantic Mapping

[ISER 2014]



Joint Map & Behavior Inference





Extracting Facts About the World

 $p(S|\Lambda, z, u) \approx p(S|\alpha, z, u)$





[10] Howard et al. 2014

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Behavior Inference: Behaviors given Map Distribution



[ISER 2014]



Find Actions Consistent with Inferred Behavior

Action Set: One step destination



What is the next destination?

Policy π

[ISER 2014]

Find Actions Consistent with Inferred Behavior





Find Actions Consistent with Inferred Behavior



QMDP [Littman et al., 1995]





Inferring Maps and Behaviors from Natural Language Instructions 2x Real-Time

Duvallet et. al 2014



Following Route Directions in Unknown Envs.





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Semantic Map Learning

- Learn from additional semantic cues (e.g., objects, text)
- Learn from non-situated descriptions
- Information-gathering actions:
 - Physical exploration
 - Dialogue







Future Work

- Extend dialogue beyond user-referenced locations
- Consider less-structured questions
 - Open-ended answers
 - Free-form questions
- Account for figures that refer to unknown regions
- Go beyond a hand-crafted measure of cost (burden)
- Reason over frame-of-reference
- Incorporate physical exploration
- Move towards fully non-situated dialogue



Conclusions

- Natural language understanding for robots requires cognitive models
- Argued that language is an effective means of sharing our cognitive models
- Described an algorithm that learns semantic environment models from naturallanguage dialogue
- Described an algorithm for joint map and behavior inference
- Outlined ongoing and future work

Questions?





Topological Map Representation

- Node v_i denotes a distinct (semantically meaningful) region
- Edges e_i represent connectivity
 - Observed with robot's sensors (e.g., scan-matching)
 - Traversed (odometry)
 - Inferred from description
- What defines a ''region''?

 - Semantic attributes (e.g., room type)





Semantic Graph

 $\{G_t, X_t, L_t\}$

- Topological map: $G_t = (V_t, E_t)$
- Metric map: $X_t = \begin{bmatrix} x_1 & x_2 & \cdots & x_n \end{bmatrix}^{\top}$
- Semantic map: $L_t = \{l_1, l_2, ..., l_n\}$





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Semantic Graph

$$\{G_t, X_t, L_t\}$$

- Topological map: $G_t = (V_t, E_t)$
- Metric map: $X_t = \begin{bmatrix} x_1 & x_2 & \cdots & x_n \end{bmatrix}^\top$
- Semantic map: $L_t = \{l_1, l_2, \dots, l_n\}$ $l_i = (colloquial name, region type)$





Semantic Attributes via Scene Classification

- Jointly reason over semantic hierarchy: region type and colloquial name
- Infer region type from sensor data
 - Improves allocentric language grounding
 - Improves mapping efficiency

region's type (category)





Proposal Distribution: Odometry Annotation

$$p(G_t^-|G_{t-1}, z^{t-1}, u^t, \lambda^t)$$





Proposal Distribution: Metric Map-based Edges



Edges to current node $p_a(G_t|G_t^-, z^{t-1}, u^t, \lambda^t) = \prod_{j:e_{tj} \notin E^-} p(G_t^{tj}|G_t^-)$

Assume edges are independent

$$\begin{aligned} \text{larginalize over the metric map} &= \prod_{j:e_{tj}\notin E^{-}} \int_{X_{t}^{-}} p(G_{t}^{tj}|X_{t}^{-},G_{t}^{-},u_{t}) p(X_{t}^{-}|G_{t}^{-}) \\ d_{tj} &= |x_{t} - x_{j}|_{2} \end{aligned} \approx \prod_{j:e_{tj}\notin E^{-}} \int_{d_{tj}} p(G_{t}^{tj}|d_{tj},G_{t}^{-}) p(d_{tj}|G_{t}^{-}) \end{aligned}$$



 \bowtie

Proposal Distribution: Metric Map-based Edges



$$p_a(G_t|G_t^-, z^{t-1}, u^t, \lambda^t) = \prod_{j:e_{tj} \notin E^-} \int_{d_{tj}} p(G_t^{tj}|d_{tj}, G_t^-) p(d_{tj}|G_t^-)$$

$$\downarrow$$
Folded Gaussian
$$p(G_t^{ij}|d_{ij}, G_t^-, z^{t-1}, u^t) \propto \frac{1}{1 + \gamma d_{ij}^2}$$

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Proposal Distribution: Graph Augmentation





Two Forms of Natural Language Descriptions

Egocentric

"This is the kitchen"



<u>Allocentric</u>

"The kitchen is down the hall"




Grounding Allocentric Language

"The kitchen is down the hall"



<figure> <relation> <landmark>

likelihood of the relation

$$\downarrow \\
p(\phi_{R_i}^f = T) = \sum_{R_j} p(\phi_{R_i}^f = T | \gamma_l = R_j, SR_k) p(\gamma_l = R_j)$$

$$\uparrow \qquad \uparrow \qquad \uparrow$$
ikelihood that language likelihood that region R_j

is the landmark

$$p(\gamma_l = R_j) = \frac{p(\phi_{R_j}^l = \mathbf{T})}{\sum_{R_j} p(\phi_{R_j}^l = \mathbf{T})}$$

references region R_i

Symbol Grounding Problem

Linguistic elements



The gym is Gym it he hal Control Control

Correct referents in the robot's world model

The gym is down the corridor.

The workout center is behind you.

Down the hall, you'll find the gym past the exit sign.

The fitness center is down the corridor to the left.

The Alumni gym is on the right, past the tall filing cabinet.

The weight room is through the double doors at the end of the hall.

The Stata Center's gym is behind you, just beyond the doors to the elevator lobby.



(collaboration with S.Tellex, T. Kollar, S.Teller, & N. Roy)





Learning the Grounding Distributions







Matthew Walter

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$$\underset{\Gamma}{\arg \max} (\gamma_1, \gamma_2, \gamma_3, \gamma_4 | \lambda)$$





$$\underset{\Gamma}{\arg \max} (\gamma_1, \gamma_2, \gamma_3, \gamma_4 | \lambda)$$





$$\underset{\Gamma}{\arg \max} (\gamma_1, \gamma_2, \gamma_3, \gamma_4 | \lambda)$$





$$\underset{\Gamma}{\arg \max} (\gamma_1, \gamma_2, \gamma_3, \gamma_4 | \lambda)$$





Rao-Blackwellized Particle Filter

Input: $\mathcal{P}_{t-1} = \left\{ P_{t-1}^{(1)}, P_{t-1}^{(2)}, \dots, P_{t-1}^{(n)} \right\}$ where $P_{t-1}^{(i)} = \left\{ G_{t-1}^{(i)}, X_{t-1}^{(i)}, L_{t-1}^{(i)}, w_{t-1}^{(i)} \right\}$

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Updating Particle Weights with Sensor Data

$$w_{t}^{(i)} = \frac{\text{Target distribution}}{\text{Proposal distribution}} = \frac{p(G_{t}^{(i)}|z^{t}, u^{t}, \lambda^{t})}{p(G_{t}^{(i)}|G_{t-1}^{(i)}, z^{t-1}, u^{t}, \lambda^{t})} w_{t-1}^{(i)}$$

$$\tilde{w}_{t}^{(i)} = p(z_{t}|G_{t}^{(i)}, z^{t-1}, u^{t}, \lambda^{t}) \cdot w_{t-1}^{(i)}$$

$$p(z_{t}|G_{t}^{(i)}, z^{t-1}, u^{t}, \lambda^{t}) = \int_{X_{t}} p(\mathcal{L}[X_{t}^{(i)}; G_{t}^{(i)}, G_{t}^{(i)}, G_{t}^{(i)}, G_{t}^{(i)}, Z^{t-1}, u^{t}, \lambda^{t}) dX_{t}$$

$$P_{t}^{(1)} = \left\{ G_{t}^{(1)}, X_{t}^{(1)}, L_{t}^{(1)}, w_{t}^{(1)} \right\}$$

$$P_{t}^{(2)} = \left\{ G_{t}^{(2)}, X_{t}^{(2)}, L_{t}^{(2)}, w_{t}^{(2)} \right\}$$

$$P_{t}^{(n)} = \left\{ G_{t}^{(n)}, X_{t}^{(n)}, L_{t}^{(n)}, w_{t}^{(n)} \right\}$$



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Transition Function

$$\mathbb{E}(V(S_{t+1})) = \sum_{S_{t+1}} V(S_{t+1}) \times p(S_{t+1}|S_t, a_t)$$
$$= \sum_{z_j^a} V(z_j^a) \times p(z_j^a|S_t, a_t)$$
$$\downarrow$$
$$p(z_j^a|S_t, a_t) = \sum_{R_i} p(z_j^a|S_t, R_i, a_t) \times p(R_i|\Lambda_k)$$

$$p(z_{j}^{a}|S_{t}, R_{i}, a_{t}) = \sum_{\phi \in \{F, T\}} p(z_{j}^{a}|S_{t}, R_{i}, a_{t}, \phi) \times p(\phi|S_{t}, R_{i}, a_{t})$$



Narrated-tour Results





Narrated-tour Results: Baseline





Narrated-tour Results: Semantic Graph





Topological Accuracy

Environment	Accuracy
Stata Floor 3	97.2%
Stata Floor 4	96.3%
Multi-building	96.2%



Region Segmentation Accuracy

Region Type	Stata Floor 3	Multi-building
Conference room	80%	81.7%
Elevator lobby	59.7%	72.8%
Hallway	49.4%	55.7%
Lab	52.8%	30.1%
Lounge	42.9%	39.4%
Office	62.5%	76.1%



Jaccard similarity

 $\frac{|V_{R_i} \cap V_{R_{\text{truth}}}|}{|V_{R_i} \cup V_{R_{\text{truth}}}|}$

Cluttered regions prone to over-segmentation



Region Semantic Accuracy

Region Type	Stata Floor 3	Multi-building
Conference room	48.5%	58.7%
Elevator lobby	64.1%	46.4%
Hallway	44.4%	58%
Lab	14.2%	30.6%
Lounge	62%	40.5%
Office	98.6%	60.2%





Annotation Inference

Distributed Correspondence Graph[1]: Infer objects, locations, and relations from language



[1] Howard et al. 2014

[ISER 2014]

Map Inference

Behavior Inference: Behaviors given Map Distribution

