# Consistent Accelerated Inference via Confident Adaptive Transformers





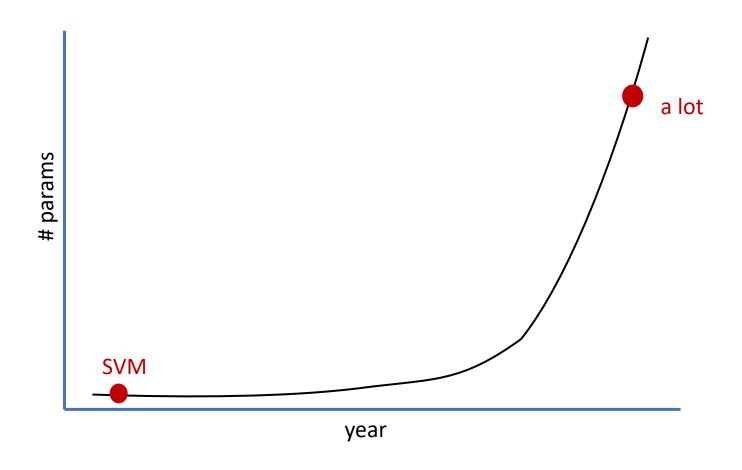






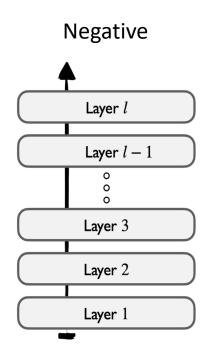
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# Number of parameters in NLP models

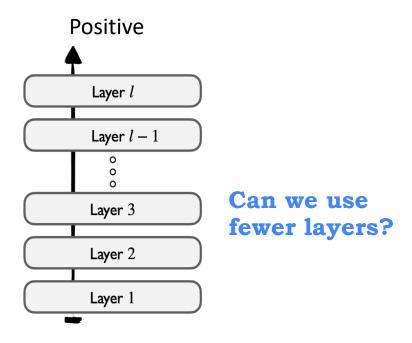


# Is the full capacity always needed?

#### Movie review sentiment analysis:



"Everything of any interest was thoroughly covered in the original film, but like many people who have nothing to say, *Part II* won't shut up."



"This movie is fantastic!"

# Confident Adaptive Transformers

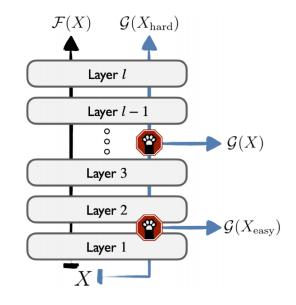
Classifier *F* on top of the last layer *l*:

$$F(x) := H_l(T_l(T_{l-1}(...(T_1(x))))$$

Earlier classifiers:

$$F_1(x) \coloneqq H_1(T_1(x))$$
  
$$F_2(x) \coloneqq H_2(T_2(T_1(x)))$$

$$F_k(x) \coloneqq H_k(T_k(\dots(T_1(x)))) , k < l$$



Create an amortized model G(x) that can choose from  $F_1, \dots, F_l$ 

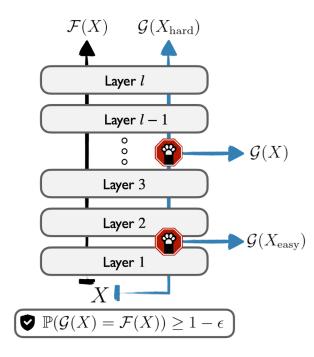
# Our goal

Reduce computational effort (fewer layers when possible) while guaranteeing consistency with original classifier:

$$\mathbb{P}\big(\mathcal{G}(X_{n+1}) = \mathcal{F}(X_{n+1})\big) \ge 1 - \epsilon$$

# Challenges

How to measure confidence? When can we exit?

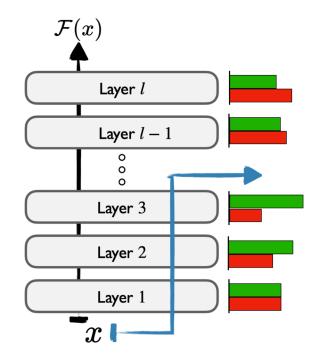


#### How to measure confidence?

#### Previous models rely on intrinsic measures

- Softmax response (Huang et al., 2018; Schwartz et al. 2020; Xin et al., 2020)
- Entropy (Liu et al., 2020; Geng et al., 2021)
- Patience (Zhou et al., 2020)

- Doesn't directly measure consistency
- Doesn't support non-classification tasks



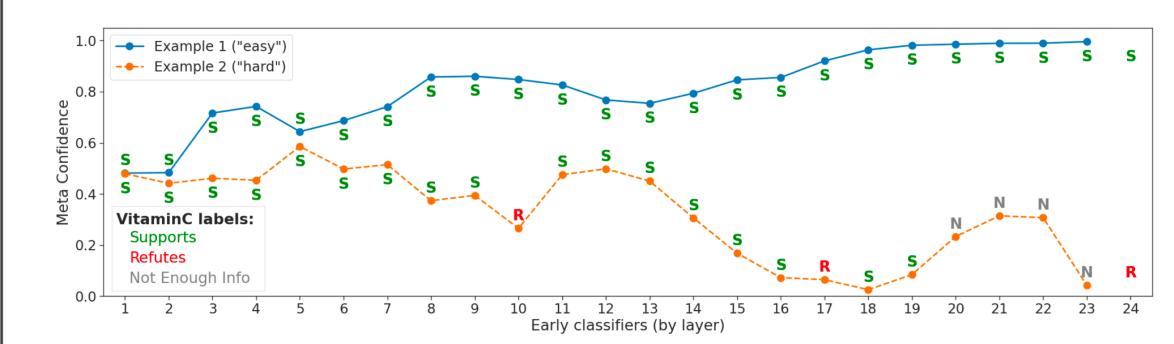
# Meta early exit classifier

### Directly estimates the consistency

A binary MLP  $M_k(x)$  that predicts  $\mathbf{1}\{F_k(x) = F(x)\}$ Input to  $M_k$ :

- Early predictor hidden state:  $\phi\left(W_p^{(k)}h_{[CLS]}^{(k)}\right)$
- Meta features:
  - Current prediction
  - History of predictions
  - Probability of current prediction
  - Difference in probability of top two predictions

# Meta early exit classifier



- (Ex.1) Claim: All airports in Guyana were closed for all international passenger flights until 1 May 2020. Evidence: Airports in Guyana are closed to all international passenger flights until 1 May 2020.
- (Ex.2) Claim: Deng Chao broke sales record for a romantic drama.

  Evidence: The film was a success and broke box office sales record for mainland-produced romance films.

#### When can we exit?

Previous models use arbitrary thresholds

We are interested in a marginal consistency guarantee

$$\mathbb{P}\big(\mathcal{G}(X_{n+1}) = \mathcal{F}(X_{n+1})\big) \ge 1 - \epsilon$$

$$\mathcal{G}(x; \boldsymbol{\tau}) := \begin{cases} \mathcal{F}_1(x) & \text{if } \mathcal{M}_1(x) > \tau_1, \\ \mathcal{F}_2(x) & \text{else if } \mathcal{M}_2(x) > \tau_2, \\ & \vdots \\ \mathcal{F}_l(x) & \text{otherwise,} \end{cases}$$

 $\boldsymbol{\tau} = (\tau_1, \dots, \tau_{l-1})$  are confidence thresholds

#### When can we exit?

Pick one of the layers that are **consistent** with *F* 

$$T(x) := \{i: F_i(x) = F(x)\}, \quad i \in [1, l-1]$$

#### **Conformal prediction**

V. Vovk, A. Gammerman, and G. Shafer (2005)

Given n calibration examples  $(X_i, Y_i) \in \mathcal{X} \times \mathcal{Y}$  and a desired tolerance level  $\epsilon$ , for a new input  $X_{n+1}$ :

return a **set of predictions**  $C_{n,\epsilon}(X_{n+1})$ , such that

$$\mathbb{P}\left(Y_{n+1} \in C_{n,\epsilon}(X_{n+1})\right) \ge 1 - \epsilon$$

Meaning,  $C_{n,\epsilon}$  contains the correct answer at least  $1 - \epsilon$  of the time

# Regular conformal sets don't work

#### Example:

$$T(x) = \{3, 5, ..., l-1\}$$

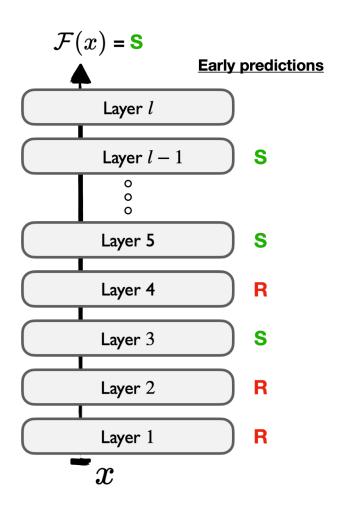
Valid prediction set (contains the right answer):

$$C_{n,\epsilon}(x) = \{2, 3, 4, l-1\}$$

can lead to false predictions

Instead, we predict the **inconsistent** layers and avoid them

$$I(x) \coloneqq \{i: i \notin T(x)\}, i \in [1, l-1]$$



## Conformalized early exits

We look at the **inconsistent** layers:

$$I(x) \coloneqq \{\tilde{i}: F_i(x) \neq F(x)\}, \qquad i \in [1, l-1]$$

*G* is  $\epsilon$ -consistent if it avoids any I(x) layers more than  $\epsilon$ -fraction of the time

We obtain a conservative prediction  $C_{\epsilon}$ :

$$\mathbb{P}\big(I(X) \subseteq C_{\epsilon}(X)\big) \ge 1 - \epsilon$$

For 
$$K := \min\{j : j \in \overline{C_{\epsilon}}(X)\}$$
, we have:  $\mathbb{P}(F_K(X) = F(X)) \ge 1 - \epsilon$ 

Complement

# Independent calibration

For each layer, compute the empirical distribution of inconsistent scores:

$$v_k^{(1:n,\infty)} = \{ M_k(x_i) : x_i \in D_{\text{cal}}, F_k(x_i) \neq F(x_i) \} \cup \{ \infty \}$$

And set the threshold by its quantile:

$$\tau_k^{\text{ind}} = \text{Quantile}\left(1 - \alpha_k, v_k^{(1:n,\infty)}\right)$$

Let  $\alpha_k = \omega_k \cdot \epsilon$ , where  $\sum_{k=1}^{l-1} \omega_k = 1$ , then  $C_{\epsilon}^{\text{ind}}(X) = \{k: M_k(x) \leq \tau_k^{\text{ind}}\}$  is valid

• In practice, we use uniform Bonferroni correction:  $\omega_k = 1/(l-1)$ 

**Limitation:** Becomes very conservative as l grows

### Shared calibration

Calibrating for the worst-case across inconsistent layers:

$$m^{(1:n,\infty)} = \{ M_{\max}(x_i) : x_i \in D_{\text{cal}}, \exists k \text{ s. t. } F_k(x_i) \neq F(x_i) \} \cup \{ \infty \}$$

Where 
$$M_{max}(x) = \max_{k \in [l-1]} \{ M_k(x) : F_k(x) \neq F(x) \}$$

Again, use quantile:

$$\tau^{\text{share}} = \text{Quantile}\left(1 - \epsilon, m^{(1:n,\infty)}\right)$$

$$C_{\epsilon}^{\mathrm{share}}(x) = \{k: M_k(x) \le \tau^{\mathrm{share}}\}$$
 is valid

### Evaluation

#### Baselines

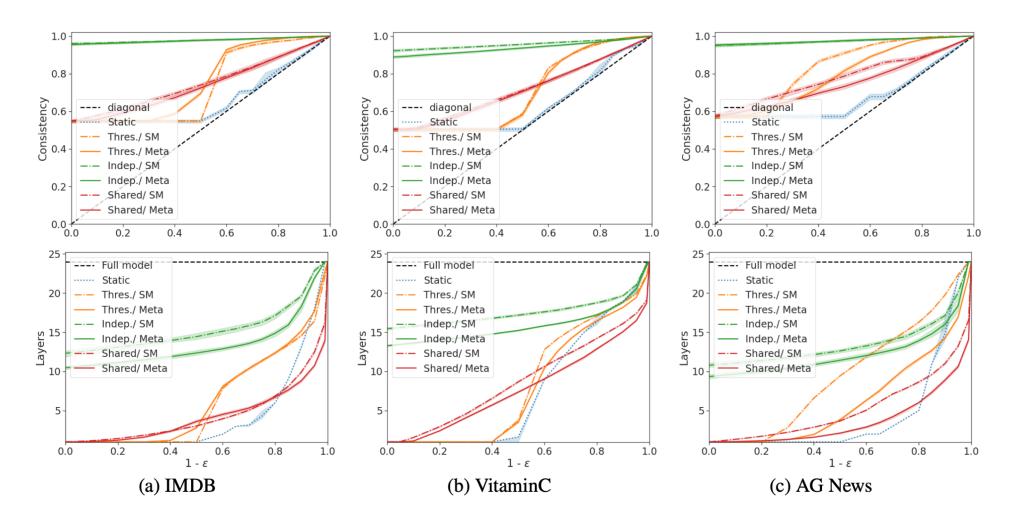
- **Static:** Fixed number of layers for any input (tuned on calibration set)
- **Threshold:** Simply exit when the confidence score is over  $1 \epsilon$  Confidence scores:
  - **SM:** Softmax value (only classification)
  - **Meta:** Our meta early exit score

#### **Metrics**

- **Consistency:** Prediction is similar to *F*
- **Layers:** Number of Transformer layers used

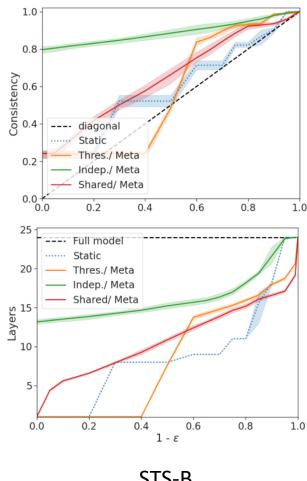


# Results per $\epsilon$ (dev)



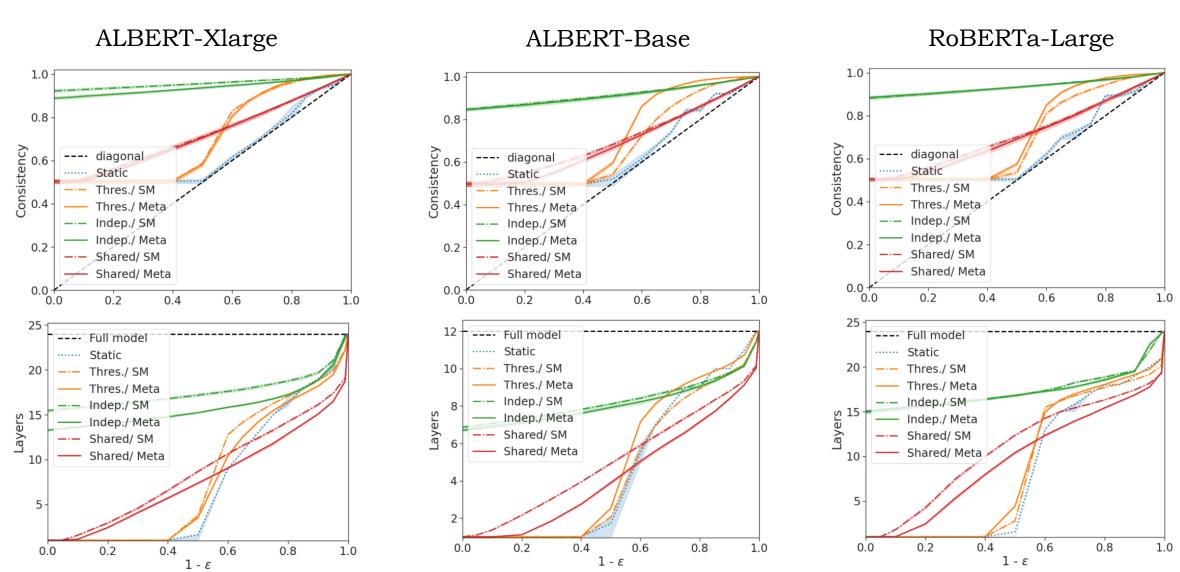
# Results per $\epsilon$ (dev) – regression task

Softmax-based baselines are invalid

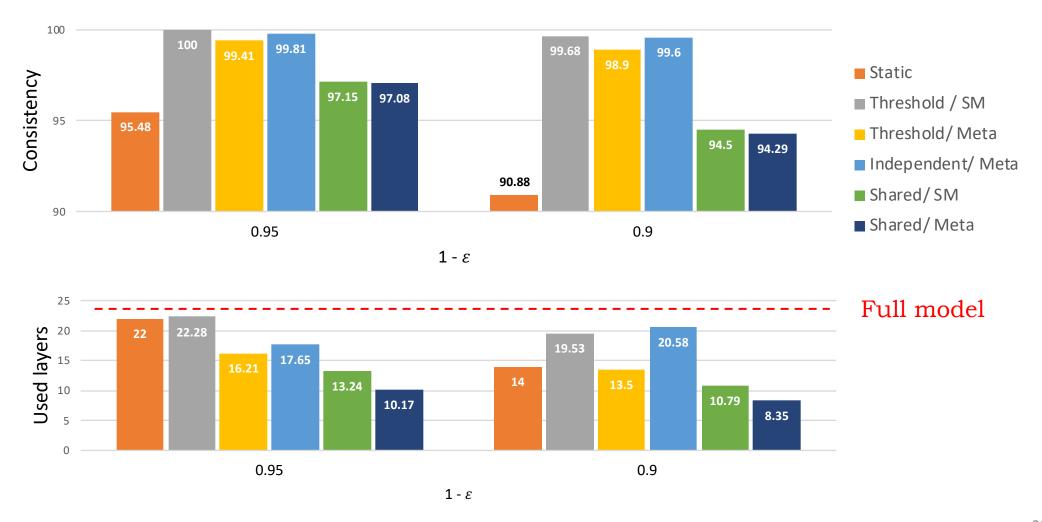


STS-B

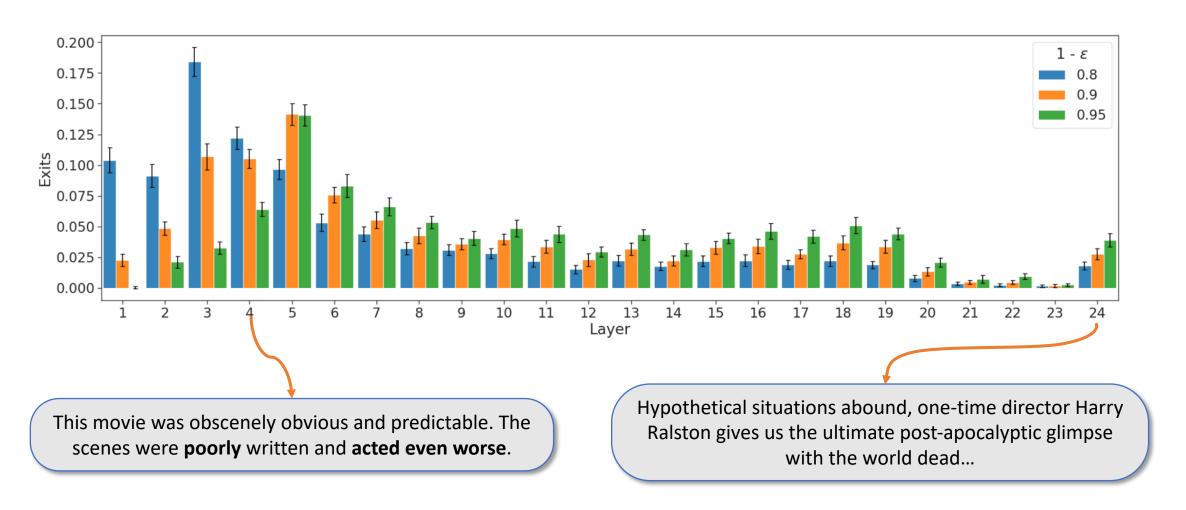
# Model agnostic performance



## Example test results (AG news)

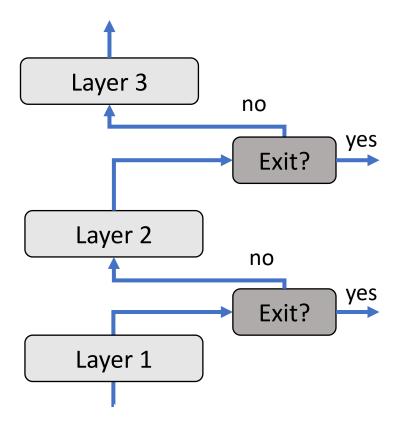


# Exit layer distribution per $\epsilon$ (IMDB)

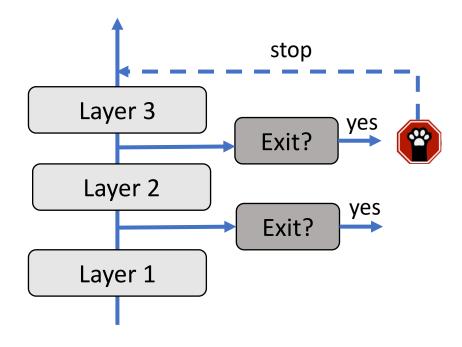


# Implementation options

## Synchronous

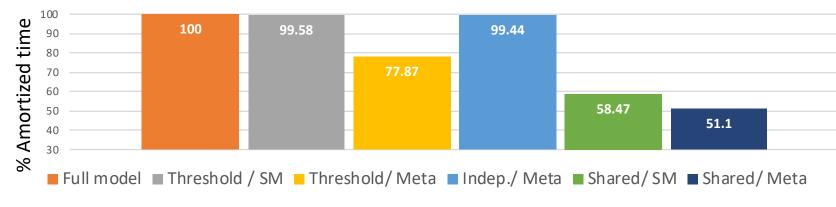


#### Concurrent

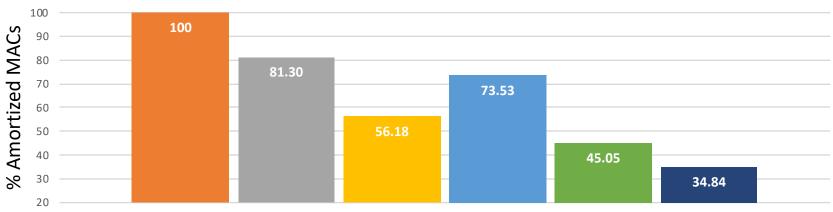


# Speedup (AG news, $1 - \epsilon = 0.9$ )

#### Amortized time (naïve synchronous implementation):



#### **Amortized MACs:**



### Conclusion

- Dynamic computational effort per input "difficulty"
- Controllable consistency guarantees with the full model
- Meta early exit classifier
- Empirically demonstrated gains on four classification & regression tasks

Code: <u>Github.com/TalSchuster/CATs</u>