

MASSACHUSETTS INSTITUTE OF TECHNOLOGY
 Department of Electrical Engineering and Computer Science
 6.001—Structure and Interpretation of Computer Programs
 Spring Semester, 1999

Recitation – Wednesday, February 17

1. Review of Lists

Let's look at simple operations on lists. Say I define a list as follows:

```
(define primes (list 2 3 5 7))
```

How could I make the following lists using `primes`?

<code>non-composites</code>	<code>(1 2 3 5 7)</code>	<code>(define non-composites</code>	<code>)</code>
<code>odd-primes</code>	<code>(3 5 7)</code>	<code>(define odd-primes</code>	<code>)</code>
<code>more-primes</code>	<code>(2 3 5 7 11)</code>	<code>(define more-primes</code>	<code>)</code>
<code>less-primes</code>	<code>(2 3 5)</code>	<code>(define less-primes</code>	<code>)</code>

2. Simple Functions on Lists

We saw that we have the primitive function `pair?` to see if an object is a pair. What if we wanted to write the function `list?` to see if an object is a list?

What is the contract for `list?` $\forall x_1, x_2, \dots, x_n$ `(list? (list x_1 x_2 ... x_n)) == #t`

What's another way to write it? `(list? nil) == #f`
`(list? (cons x l)) == #t ==> (list? l)`

Now, how can we write `list?` in scheme?

```
(define (list? x)
```

```
)
```

What is the Order of Growth of `pair?` and `list?` ?

\Rightarrow `pair?` is $\Theta(1)$ and `list?` is $\Theta(n)$

3. More Functions on Lists

What if we wanted to reference the n^{th} element of a list? Write the function `list-ref` that takes a list `x` and an integer `n` and returns the n^{th} element of the list `x`.

```
(define (list-ref x n)
```

```
)
```

Write the function `length` that takes a list `x` and returns the length of the list. Is your function iterative or recursive? Write the other one too!

```
(define (length x)
```

```
(define (length x)
```

```
)
```

```
)
```

4. Recursive Append

Consider the procedure `append` that takes two lists and returns a list that results from appending the second to the first.

```
(define (append a b)
  (if (null? a)
      b
      (cons (car a) (append (cdr a) b))))
```

Draw the box and pointer diagrams for `(append (list 1 2) (list 3 4 5))`. Notice that the second list is never looked at!

5. Copy

Consider the procedure `copy` which takes a list and returns a copy of the list. How do each of the following differ?

```
(define (copy-ident x) x)

(define (copy-recurse x)
  (if (null? x)
      nil
      (cons (car x) (copy-recurse (cdr x)))))
```

Notice that `copy-recurse` is a recursive process. Let's write an iterative copy:

```
(define (*copy-iter* x)

)
```

6. Iterative Append

Given what we learned about iterative vs. recursive processes operating on lists, write an iterative version of `append`.

```
(define (append a b)

)
```

7. One More Function for Lists

Write the function `lrange` that takes a list `x` and two integers `a` and `b`, and returns a list of the `a`'th through the `b`'th elements of `x`. e.g. `(lrange (list 0 1 2 3 4) 1 3) ⇒ (1 2 3)`.

I know we're not going to get to this in class... Try it, and the answer will be on the web.

```
(define (lrange x a b)
```

```
)
```